### CS 600.226: Data Structures Michael Schatz

Aug 30, 2018 Lecture 1: Introduction & Motivation



## Welcome!

Course Webpage: Course Discussions:	<u>https://github.com/schatzlab/datastructures2018</u> <u>https://piazza.com/jhu/fall2018/600226/home</u>
Office Hours:	Wednesday @ 2:45pm – 4pm, Malone 323 CA office hours throughout the week ©
Programming Language:	Java with Checkstyle and JUnit Virtual Machine (Lubuntu) or CS acct.
Accounts for Maiors (CS/C	E) & Minors:

If you do not already have a personal CS departmental unix account, please complete an account request form ASAP. Check "Linux Undergrad" for account type. (Note - must be declared to be eligible.)

#### Accounts for Others:

We will need to make accounts. Do people need them?

### CS Lab access:

Students must see Steve DiBlasio, with your J-card, in Malone G61A to get CS Lab access. The CS Lab is Malone 122 and that's where course TA/CAs will be available for help.

## **References and Resources**

### **Primary Texts (Recommended, not required):**

- (on-line interactive) OpenDSA, JHU version
- (print) Clifford A. Shaffer, Data Structures and Algorithm Analysis (Java Version) (Edition 3.2), available on-line and through Dover Publications.
- Peter Froehlich's Lecture notes posted to Piazza

### Alternate Texts:

- Sedgewick & Wayne, Algorithms: JHU Library online edition
- Weiss, Data Structures and Algorithm Analysis in Java

### **Other Resources:**

- Google 🙂
- Code examples from Intro Programming in Java (600.107) look in the sub-directories for examples of each topic.
- algoviz.org collection of visualizations for various data structures and algorithms
- Java API -- description of classes and methods

## Grading and Help

#### Assessments:

- Weekly Assignments: 50% Due at 11:59pm ~one week later
- Midterm: 20% In class (~Friday Oct 12)
- Final Exam: 30% During exam week (Date TBD)
- In-class: Not graded, but there to help you!

### **Policies:**

- Percentile scores assigned relative to the highest points awarded
- Fixed cutoffs for A+(>97); A(>93); A- (>90); B+ (>87); B (>83); B- (>80); etc
- Automatic testing and grading of coding assignments using gradescope
- Grace period: 10% penalty for up to 1 hour late
- Late Days: Five (5) chances to extend the deadline by 24 hours without any penalty

## WARNING: If you submit >1 hour late and you don't have a late day left, then you will receive 0 points

### **Details:**

https://github.com/schatzlab/datastructures2018/tree/master/policies

## Course Webpage

#### https://github.com/schatzlab/datastructures2018

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Prof: Michael Schatz (msch Head TA: Tim Kutcher (tkut		

## Course Webpage

#### https://github.com/schatzlab/datastructures2018

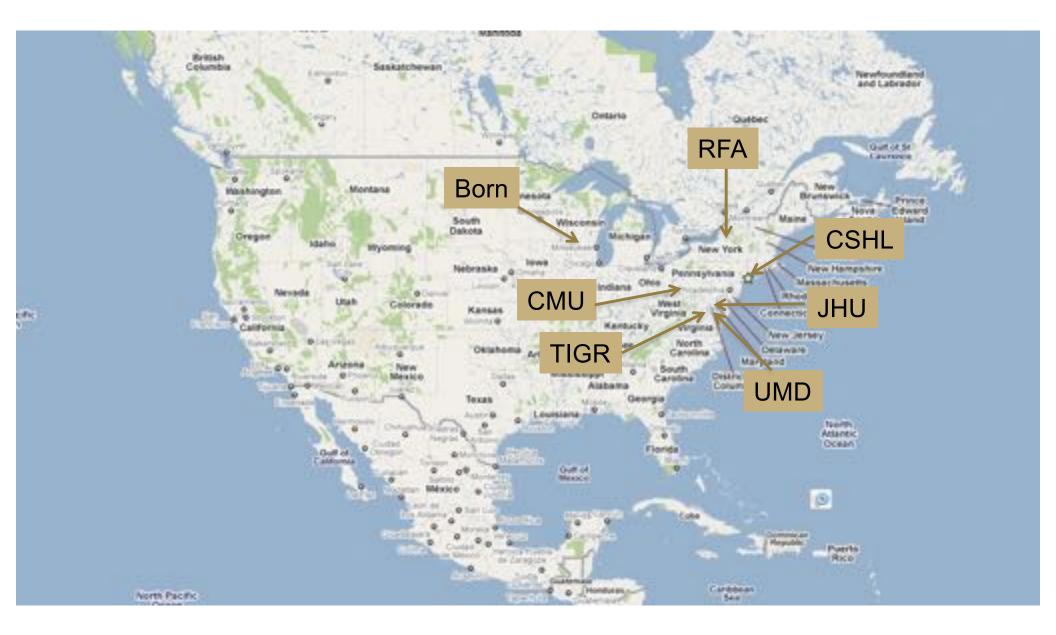
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	Date	Lecture	Readings & Resources	Assignment	
1	Th 8/30	Introduction		Sign Up for Plazza	
2.	Fr 8/31	Interfaces			
	Mon 9/3	Labor Day - No class			
3.	Wed 9/5	Arrays, Generics, and Exceptions			
4.	Fri 9/7	More Arrays		HW 1 Assigned	
5.	Mon 9/10	Lists			
6.	Wed 9/12	Iterators			
7.	Fri 9/14	Junit and Complexity Analysis		HW 2 Assigned	
8,	Mon 9/17	Sorting			
9.	Wed 9/19	Stacks			
10.	Fri 9/21	Stacks and Queues		HW3 Assigned	
11.	Mon 9/24	Stacks, Queues, and Deques			
12.	Wed 9/26	Lists			
13.	Fri 9/28	More Lists		HW4 Assigned	
14,	Mon 10/1	Trees			
15.	Wed 10/3	More Trees			
16.	Fri 10/6	Graphs			
17.	Mon 10/8	Midterm Review 3			
18.	Wied 10/10	Midterm Review 2			
19.	Fri 10/12	Midtermi			
20.	Mon 10/15	Graph Searching			
21	Wed 10/17	Calv		MMS Assigned	

### Piazza

### https://piazza.com/jhu/fall2018/600226/home

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# A Little About Me



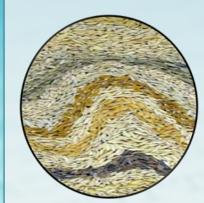
## Schatzlab Overview



### Human Genetics

Role of mutations in disease

Nattestad et al. (2018) Feigin *et al.* (2017)



### Agricultural Genomics

Genomes & Transcriptomes

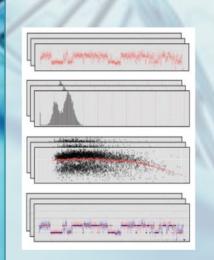
Lemmon et al. (2016) Ming et al. (2015)



### Algorithmics & Systems Research

Ultra-large scale biocomputing

Stevens et al. (2015) Marcus et al. (2014)



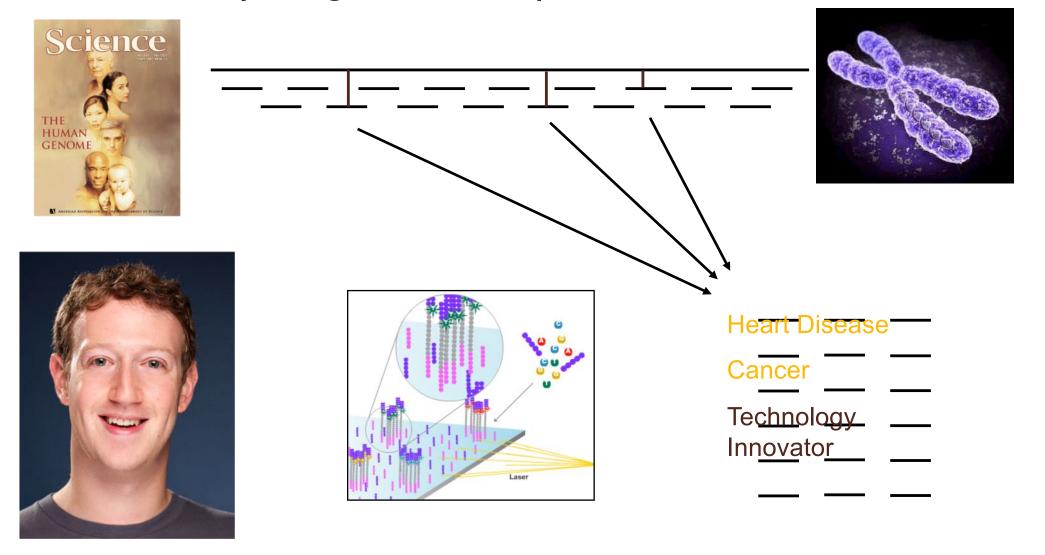
### Single Cell & Single Molecule

CNVs, SVs, & Cell Phylogenetics

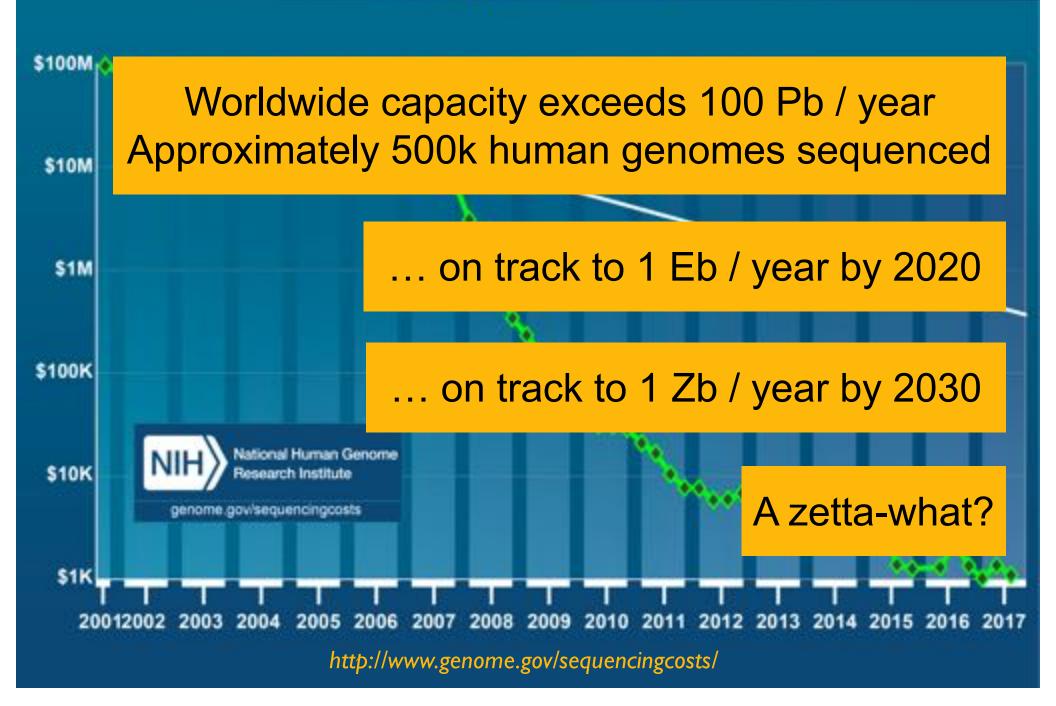
Sedlazeck et al. (2018) Garvin et al. (2015)

# **Personal Genomics**

How does your genome compare to the reference?



## Cost per Genome



# How much is a zettabyte?

Unit	Size	~2×
Byte		2 <sup>0</sup>
Kilobyte	I,000	210
Megabyte	1,000,000	2 <sup>20</sup>
Gigabyte	1,000,000,000	2 <sup>30</sup>
Terabyte	1,000,000,000,000	2 <sup>40</sup>
Petabyte	1,000,000,000,000,000	2 <sup>50</sup>
Exabyte	1,000,000,000,000,000,000	2 <sup>60</sup>
Zettabyte	I,000,000,000,000,000,000,000	2 <sup>70</sup>

# How much is a zettabyte?



100 GB / Genome 4.7GB / DVD ~20 DVDs / Genome

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10,000,000,000 Genomes

=

1ZB Data 200,000,000,000 DVDs

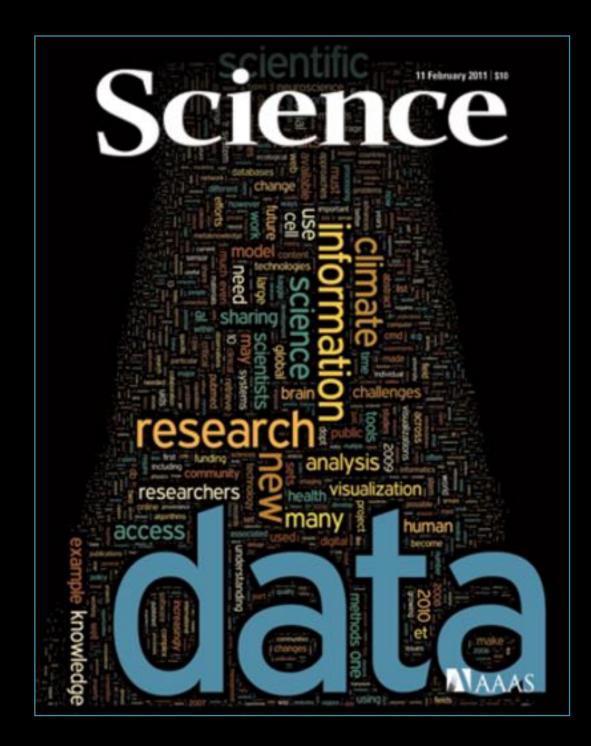






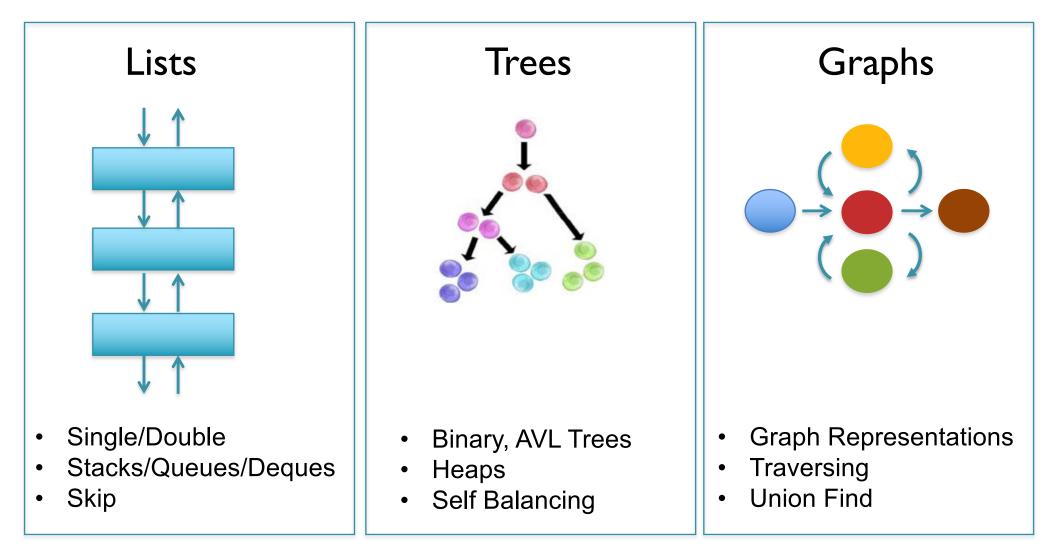
150,000 miles of DVDs  $\sim \frac{1}{2}$  distance to moon

Both currently ~100PB And growing exponentially

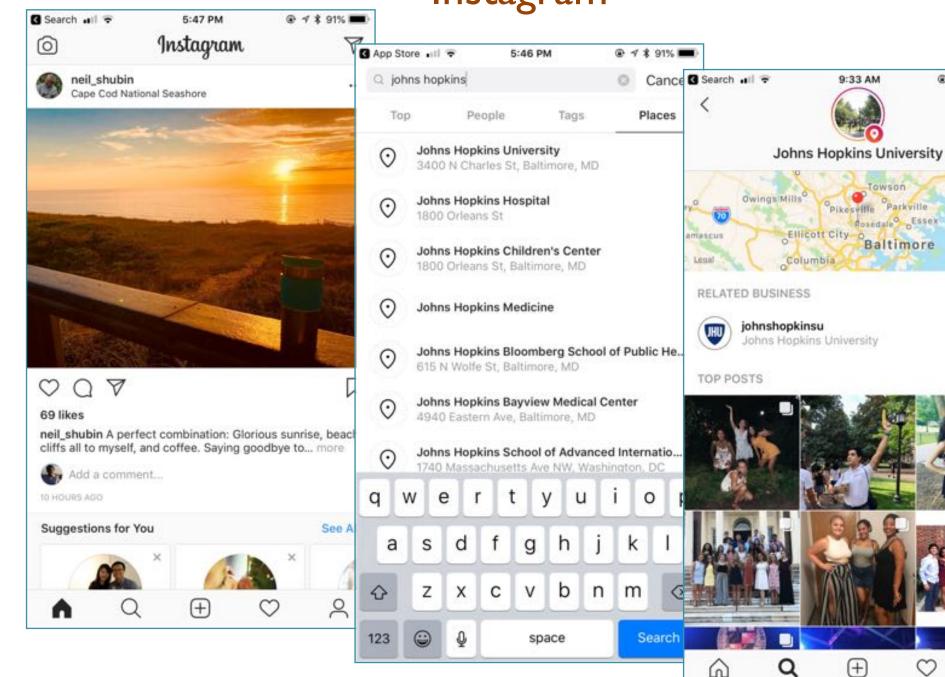




## Data Structures



Building, searching, traversing, analyzing Make you big-data superheros ©



### Instagram

@ 7 \$ 100%

7

0

2

...

### Data Structures of Instagram

#### Incredibly popular app:

~800M active users >20B photos, >60M per day! https://www.quora.com/How-many-photos-are-being-uploaded-on-Instagram-daily

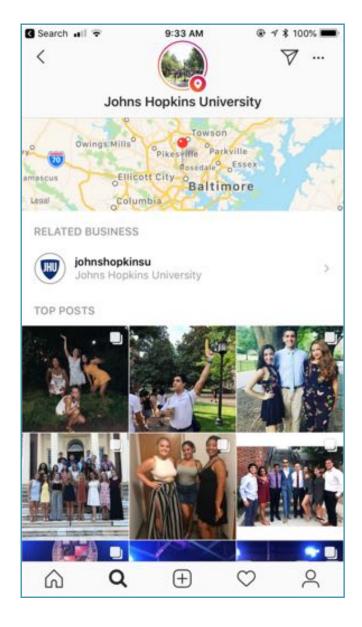
*How to find all photos near a given site?* Modern clock speed: 1 instruction / nanosec Practical processing speed: 1000 photos / sec

1M seconds =  $\sim$ 11.5 days 20B photos / 1000 photos / s = 20M sec =  $\sim$ 230 days

What if all users search at the same time? 230 days \* 800M users = 184B days = ~500M years

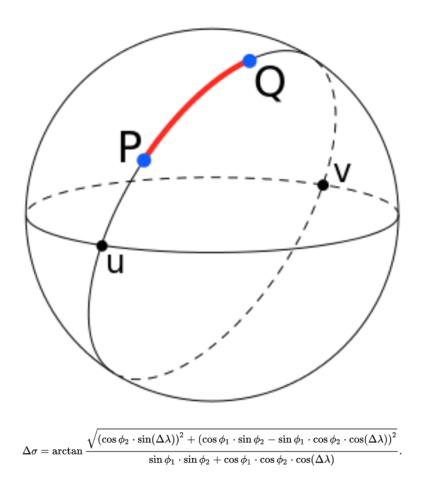


How can we make it go faster?



### Data Structures of Instagram

...



https://en.wikipedia.org/wiki/Great-circle\_distance

#### Inside Instagram

Search: JHU Where: 39.32N 76.62W

Photo #1 Where: 37.77N 122.41W (SFO) URL: instagram.com/p/1

Photo #2 Where: 20.63N 76.77W (Cuba) URL: instagram.com/p/2

Photo #3526224
Where: 39.32N 76.63W (JHU!)
URL: instagram.com/p/3526224

Linear Search (aka Brute force): try all 20B photos

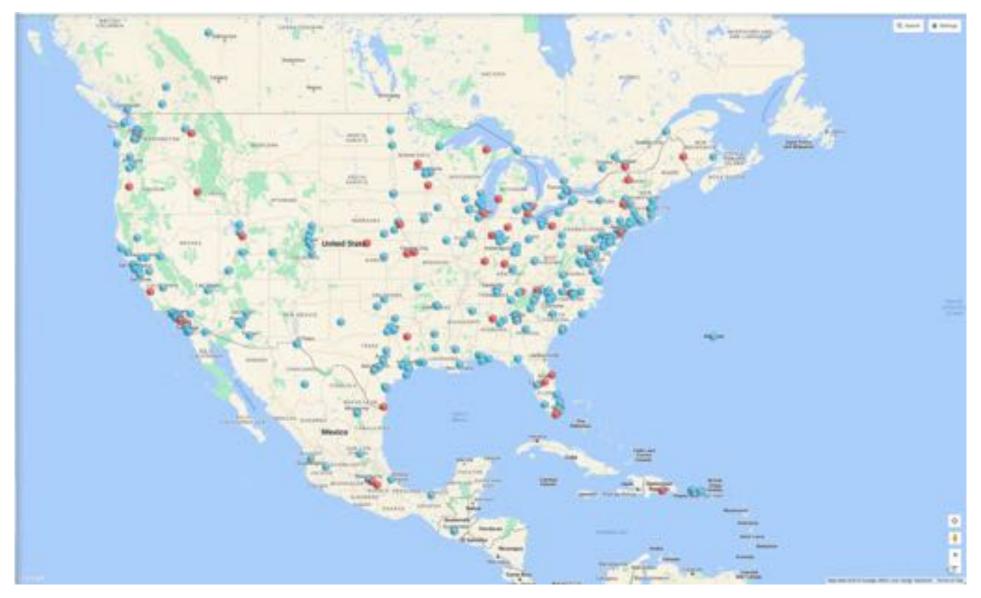
#1: 37.77N 122.41W: No
#2: 20.63N 76.77W: No
#3: 21.30N 157.85W: No

#3,526,224 39.32N 76.63W: Yes!

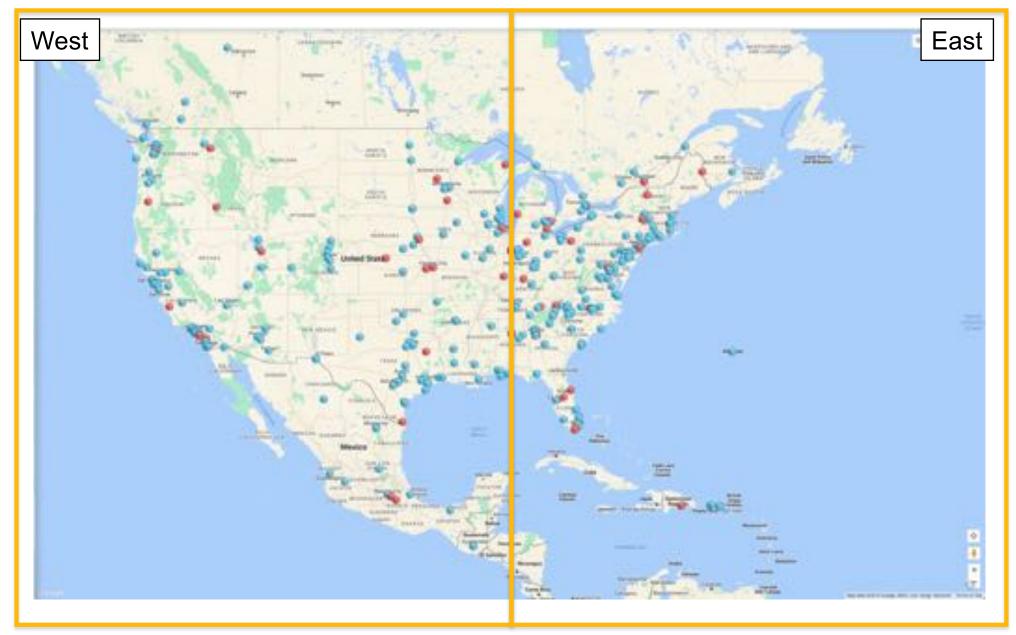
#19,999,999,999 48.85N 2.34E No #20,000,000,000 35.65N 139.83E No

If you get really lucky you might find a few nearby photos quickly that you can return first

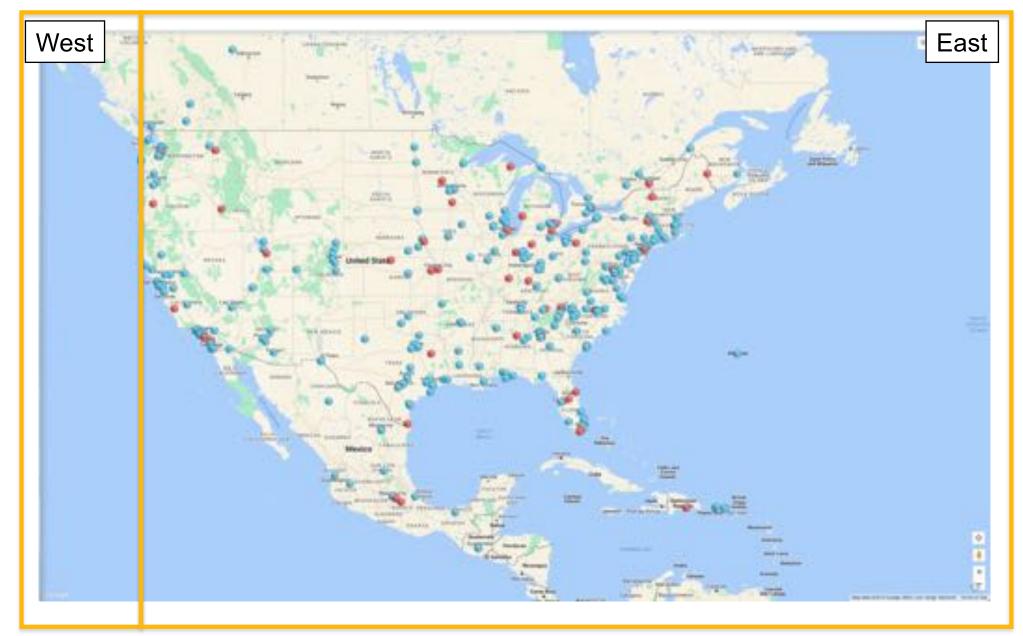
What happens if there are no photos at the search site?



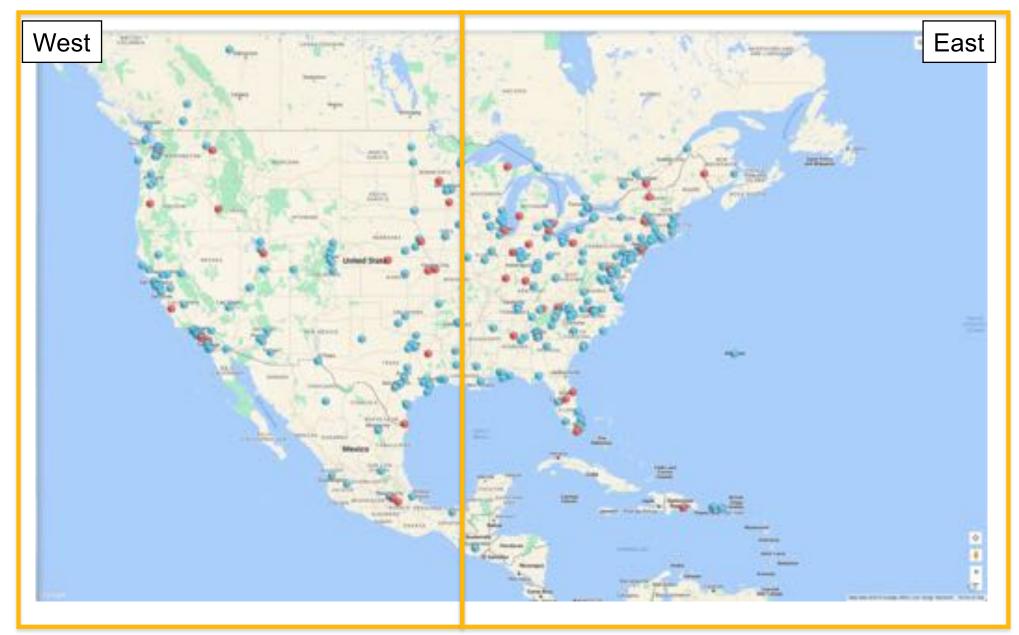
What can you do to speed up the search? Note: The computer can only "see" one photo at a time



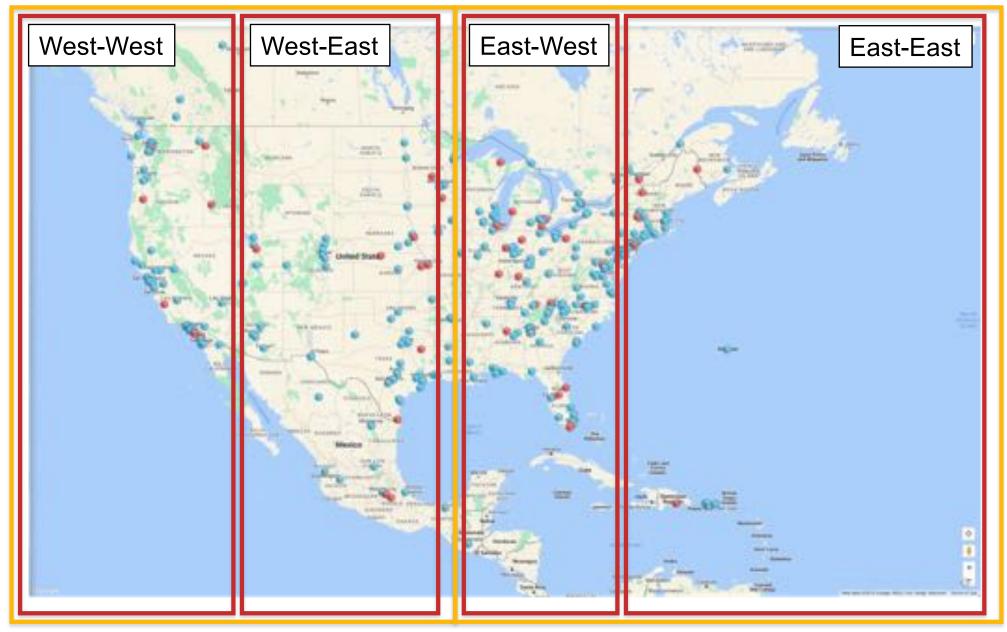
Partition the data into 2 lists, each search takes half as long!



Why is this a bad split? What would be the perfect split?



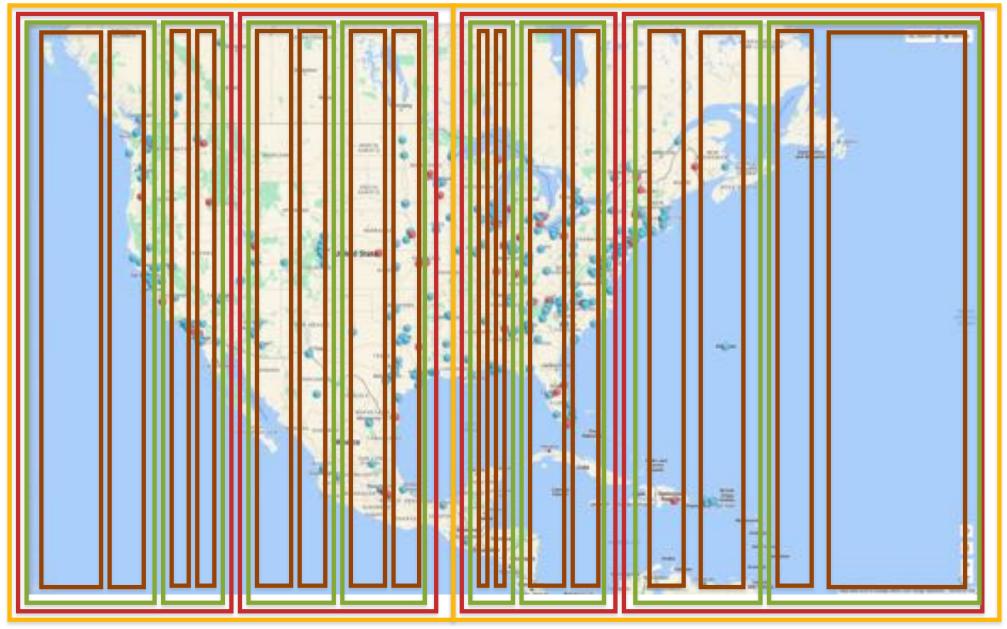
Ideal split will be exactly 50/50 (median east-west coordinate of sites)



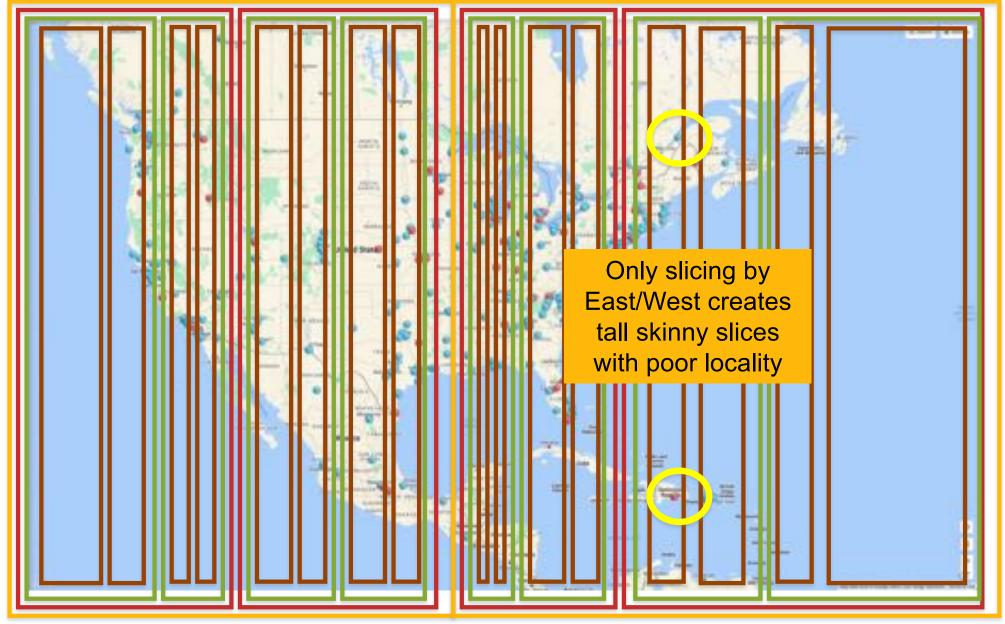
Partition again! Each sublist has N/4 elements!



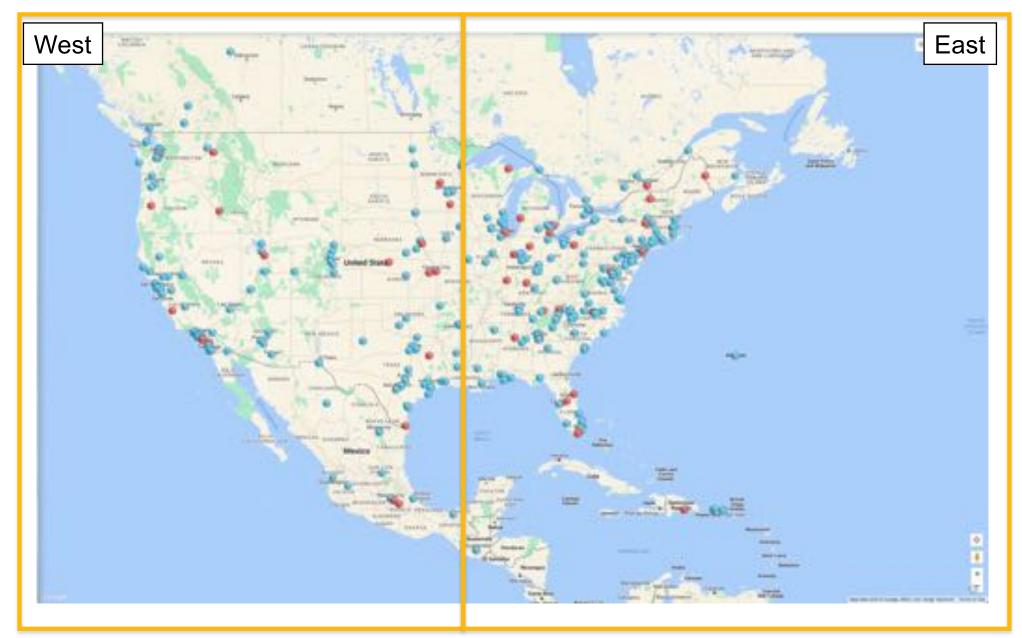
Partition again! Each sublist has N/8 elements!



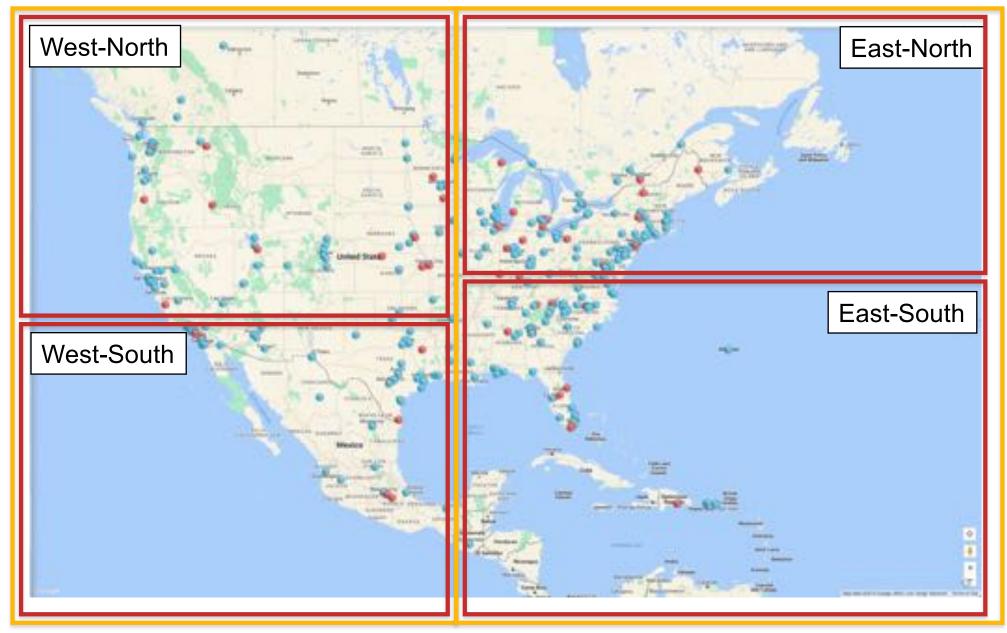
Partition again! Each sublist has N/16 elements!



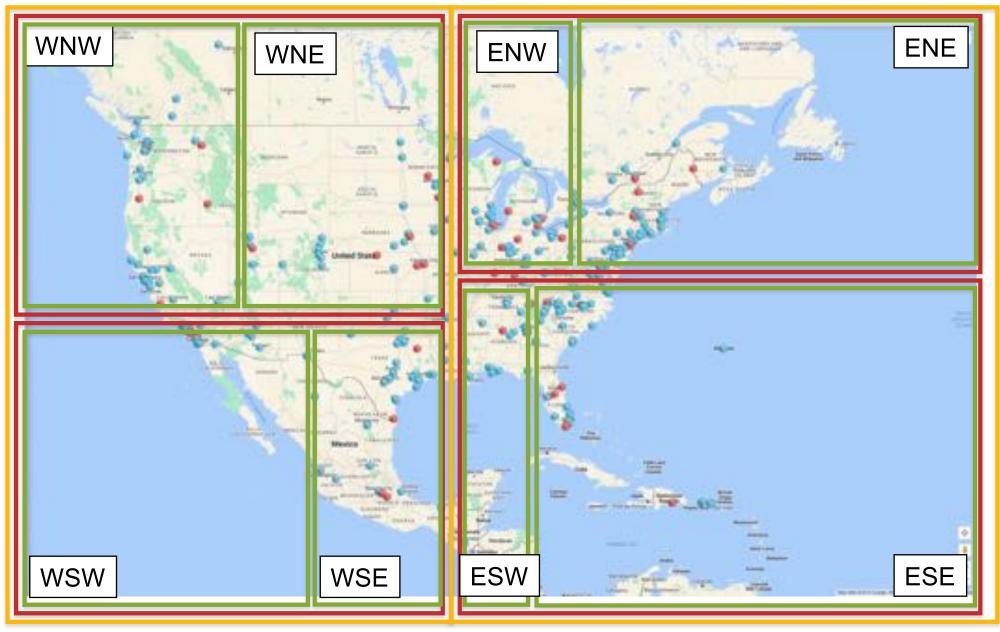
Partition again! Each sublist has N/16 elements!



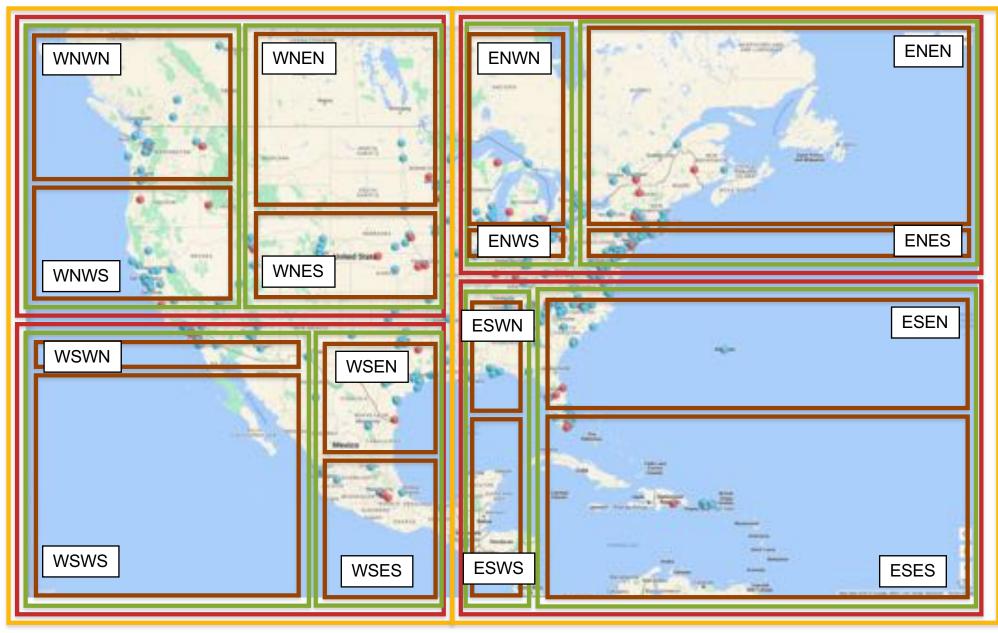
Ideal split will be exactly 50/50 (median east-west coordinate)



Alternate splits: Each sublist has N/4 element & balanced in both dimensions

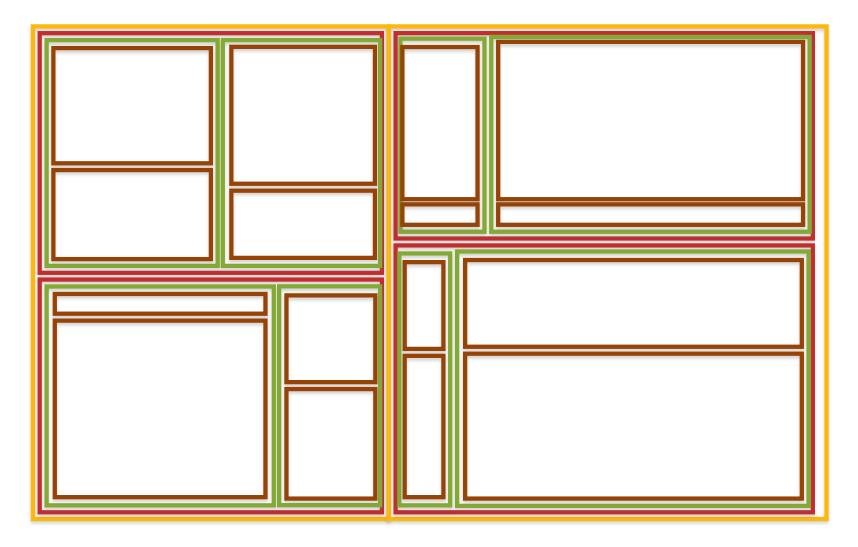


Each sublist has N/8 elements & Balanced in both dimensions



Each sublist has N/16 elements & Balanced in both dimensions

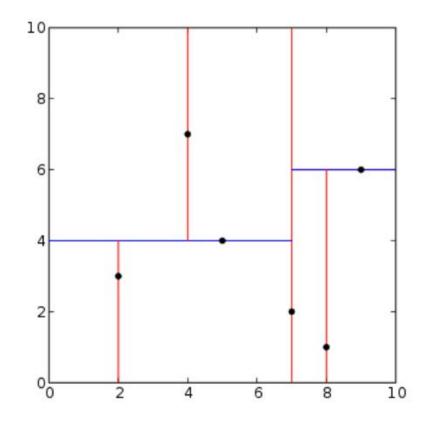
## Advanced Data Structure #I:K-d tree



Balanced Binary Search Tree invented by Jon Louis Bentley in 1975 Generalization of the ubiquitous binary search tree Very fast to build & search almost any type of spatial data

## k-d tree pseudocode

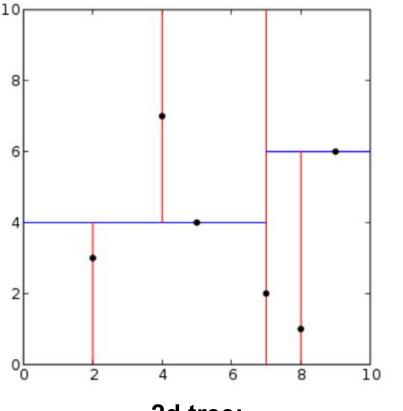
```
Photo getNearest(Point myLoc)
{
  // Region class stores partitions & photos
  Region r = allPhotos
  // While more partitions to go
  while (r.numPhotos() > 1)
  {
    // Partition on Lat/Long
    Dimension d = r.splitDim()
    // Check the relevant coordinate
    if (myLoc.getDim(d) <= r.split)</pre>
    {
      // branch to the west/south
      r = r.lo()
    }
    else
      // branch to the east/north
      r = r.hi()
  }
  // just 1 photo, done!
  return r.getPhoto()
}
```



K-d tree data structure to spatially index a large data index the photos

What else might you want to index?

## k-d trees in higher dimensions



**2d tree:** Alternate left/right, top/bottom

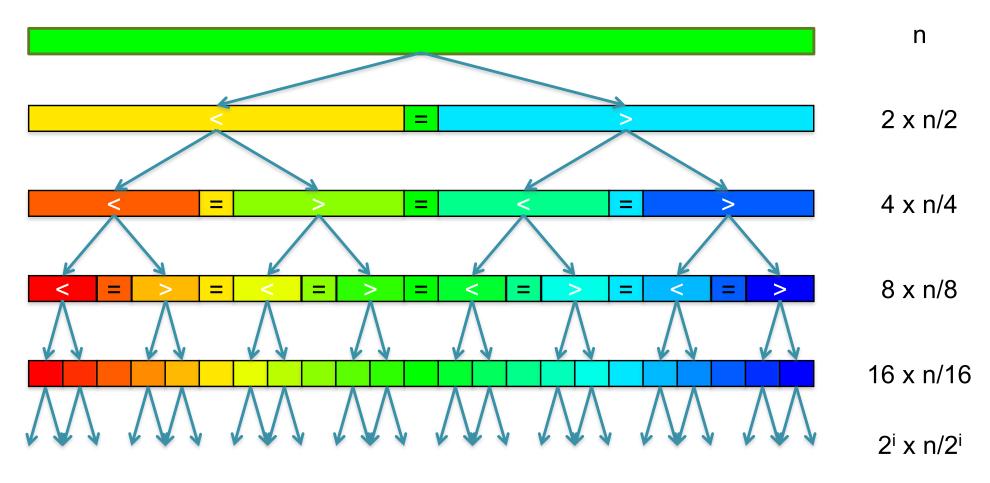
**3d tree:** Alternate left/right, top/bottom, up/down

The 'k' in k-d tree emphasizes that it works in any number of dimensions Just gets a little harder to draw for  $k > 3 \odot$ 

Alternative is to build multiple indices with pointers (URLs) to same set of photos

## Divide and Conquer

- Brute force is slow because we have to check every single element
  - How can we split up the unsorted list into independent ranges?
  - Lets recursively split up the elements into greater than/less than range based on the current split line (latitude/longitude)



[How many times can we split a list in half?]

- Step 0: 20,000,000,000 possible elements (N)
- Step I: 10,000,000 possible elements (N/2)
- Step 2: 5,000,000,000 possible elements (N/4)
- • •
- Step X: I possible element (N/N)

- Step 0: 20,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000,000 possible elements  $(N/2 = N/2^1)$
- Step 2: 5,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)
- • •
- Step X: I possible element  $(N/N = N/2^{X})$

- Step 0: 20,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000 possible elements (N/2 = N/2<sup>1</sup>)
- Step 2: 5,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)

• Step X: I possible element (N/N = N/ $2^{X}$ )

Find X such that:  $2^{\times} \ge N$ 

- Step 0: 20,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000 possible elements (N/2 = N/2<sup>1</sup>)
- Step 2: 5,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)

• Step X: I possible element  $(N/N = N/2^{X})$ 

. . .

Find X such that:  $2^{\times} \ge N$  $\lg(2^{\times}) \ge \lg(N)$  $X \ge \lg(N)$ 

X = ???

- Step 0: 20,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000 possible elements (N/2 = N/2<sup>1</sup>)
- Step 2: 5,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)

• Step X: I possible element  $(N/N = N/2^{X})$ 

Find X such that:  $2^{\times} \ge N$  $\lg(2^{\times}) \ge \lg(N)$  $X \ge \lg(N)$ 

X = 35
571.4 million times faster than brute force!

## Dividing N in half: 20 TRILLION

- Step 0: 20,000,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000,000 possible elements (N/2 = N/2<sup>1</sup>)
- Step 2: 5,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)

• Step X: I possible element  $(N/N = N/2^{X})$ 

. . .

Find X such that:  $2^{\times} \ge N$  $\lg(2^{\times}) \ge \lg(N)$  $X \ge \lg(N)$ 

**X** = ???

## Dividing N in half: 20 TRILLION

- Step 0: 20,000,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000,000 possible elements (N/2 = N/2<sup>1</sup>)
- Step 2: 5,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)

• Step X: I possible element  $(N/N = N/2^{X})$ 

Find X such that:  $2^{\times} \ge N$  $\lg(2^{\times}) \ge \lg(N)$  $X \ge \lg(N)$ 

> X = 45 571.4 billion times faster than brute force!

# Dividing N in half: 20 QUADRILLION

- Step 0: 20,000,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000,000,000 possible elements (N/2 = N/2<sup>1</sup>)
- Step 2: 5,000,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)

• Step X: I possible element  $(N/N = N/2^{X})$ 

. . .

Find X such that:  $2^{\times} \ge N$  $\lg(2^{\times}) \ge \lg(N)$  $X \ge \lg(N)$ 

**X** = ???

# Dividing N in half: 20 QUADRILLION

- Step 0: 20,000,000,000,000 possible elements (N/1 = N/2<sup>0</sup>)
- Step I: 10,000,000,000,000 possible elements (N/2 = N/2<sup>1</sup>)
- Step 2: 5,000,000,000,000 possible elements (N/4 = N/2<sup>2</sup>)

• Step X: I possible element  $(N/N = N/2^{X})$ 

Find X such that:  $2^{\times} \ge N$  $\lg(2^{\times}) \ge \lg(N)$  $X \ge \lg(N)$ 

X = 55
571.4 trillion times faster than brute force!

# How much is a zettabyte?

Unit	Size	~2×
Byte		2 <sup>0</sup>
Kilobyte	I,000	210
Megabyte	1,000,000	2 <sup>20</sup>
Gigabyte	1,000,000,000	2 <sup>30</sup>
Terabyte	1,000,000,000,000	2 <sup>40</sup>
Petabyte	1,000,000,000,000,000	2 <sup>50</sup>
Exabyte	1,000,000,000,000,000,000	2 <sup>60</sup>
Zettabyte	I,000,000,000,000,000,000,000	2 <sup>70</sup>

# How much is a zettabyte?

Unit	Size	~2×
Byte	l	<b>2</b> <sup>0</sup>
Kilobyte	I,000	210
Megabyt		<b>2</b> <sup>20</sup>
Gigabyte <mark>F</mark>	or all practical purposes:	2 <sup>30</sup>
Terabyte	lg(X) << 70	240
Petabyte		<b>2</b> <sup>50</sup>
Exabyte	1,000,000,000,000,000,000	<b>2</b> <sup>60</sup>
Zettabyte	1,000,000,000,000,000,000,000	2 <sup>70</sup>

#### **Next Steps**

- I. Reflect on the magic and power of log  $\bigcirc$
- 2. Register on Piazza
- 3. Set up Dropbox for yourself!
- 4. Get comfortable with a editor (VI rules!) and the command line



# Questions?