

RNA Sequencing

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(Most slides by Michael Schatz)

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Lecture 10: Applied Comparative Genomics



Review: Similarity metrics

- Hamming distance

- Count the number of substitutions to transform one string into another

MIKESCHATZ

| |X| |XXXX|

MICESHATZZ

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- Edit distance

- The minimum number of substitutions, insertions, or deletions to transform one string into another

MIKESCHAT-Z

| |X| |X| | |X|

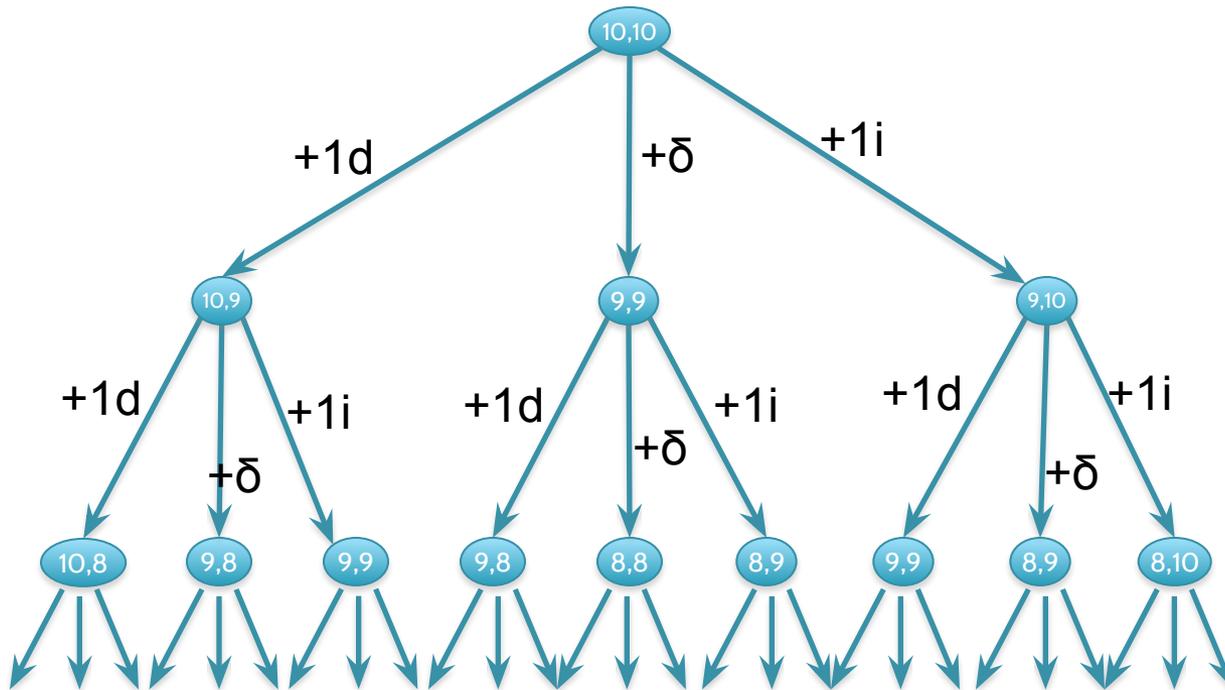
MICES-HATZZ

3

Recursive solution

- Computation of D is a recursive process.
 - At each step, we only allow matches, substitutions, and indels
 - $D(i,j)$ in terms of $D(i',j')$ for $i' \leq i$ and $j' \leq j$.

$$D(\text{MIKESCHATZ}, \text{MICESHATZZ}) = \min\{D(\text{MIKESCHATZ}, \text{MICESHATZ}) + 1, \\ D(\text{MIKESCHAT}, \text{MICESHATZZ}) + 1, \\ D(\text{MIKESCHAT}, \text{MICESHATZ}) + \delta(z, z)\}$$



[What is the running time?]

Recurrence Relation for D

Find the edit distance (minimum number of sub, ins, del operations) to convert one string into another

•Base conditions:

$$D(i,0) = i, \text{ for all } i = 0, \dots, n$$

$$D(0,j) = j, \text{ for all } j = 0, \dots, m$$

•For $i > 0, j > 0$:

$$D(i,j) = \min \{$$

$$D(i-1,j) + 1, \quad // \text{ align 0 from S, 1 from T}$$

$$D(i,j-1) + 1, \quad // \text{ align 1 from S, 0 from T}$$

$$D(i-1,j-1) + \delta(S(i),T(j)) \quad // \text{ align 1+1 chars}$$

$$\}$$

[Why do we want the min?]

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1										
I	2										
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

[What does the initialization mean?]

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0									
I	2										
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[M,M] = \min\{D[M, \emptyset] + 1, D[\emptyset, M] + 1, D[\emptyset, \emptyset] + \delta(M,M)\}$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1								
I	2										
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[MI, M] = \min\{D[MI, \emptyset] + 1, D[M, M] + 1, D[M, \emptyset] + \delta(I, M)\}$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2							
I	2										
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIK}, \text{M}] = \min\{D[\text{MIK}, \emptyset] + 1, D[\text{MI}, \text{M}] + 1, D[\text{MI},] + \delta(\text{K}, \text{M})\}$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3						
I	2										
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIKE}, \text{M}] = \min\{D[\text{MIKE}, \text{.}] + 1, D[\text{MIK}, \text{M}] + 1, D[\text{MIK}, \text{.}] + \delta(\text{E}, \text{M})\}$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2										
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIKESCHATZ}, \text{M}] = 9$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1									
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[M,MI] = \min\{D[M,M]+1, D[MI, \emptyset]+1, D[\emptyset,M]+\delta(M,I)\}$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0								
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[MI,MI] = \min\{D[MI,M]+1, D[M, MI]+1, D[M,M]+\delta(I,I)\}$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1							
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIK}, \text{MI}] = \min\{D[\text{MIK}, \text{M}]+1, D[\text{MI}, \text{MI}]+1, D[\text{MI}, \text{M}]+\delta(\text{K}, \text{I})\}$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3										
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIKESCHATZ}, \text{MI}] = 8$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1							
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIK}, \text{MIC}] = 1$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4										
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIKESCHATZ}, \text{MIC}] = 7$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5										
H	6										
A	7										
T	8										
Z	9										
Z	10										

$$D[\text{MIKESCHATZ}, \text{MICE}] = 7$$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

Distance is 3, but how?

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

Line up
chars

$$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$$

Z
Z

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

Gap in top string

$$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$$

-Z
ZZ

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

T-Z
TZZ

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

AT-Z
ATZZ

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

HAT - Z
HATZZ

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

Gap in bottom string

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

CHAT-Z
-HATZZ

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

SCHAT - Z
S - HATZZ

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

Just line up mis-matches

$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

KESCHAT - Z
CES - HATZZ

Dynamic Programming Matrix

		M	I	K	E	S	C	H	A	T	Z
	0	1	2	3	4	5	6	7	8	9	10
M	1	0	1	2	3	4	5	6	7	8	9
I	2	1	0	1	2	3	4	5	6	7	8
C	3	2	1	1	2	3	3	4	5	6	7
E	4	3	2	2	1	2	3	4	5	6	7
S	5	4	3	3	2	1	2	3	4	5	6
H	6	5	4	4	3	2	2	2	3	4	5
A	7	6	5	5	4	3	3	3	2	3	4
T	8	7	6	6	5	4	4	4	3	2	3
Z	9	8	7	7	6	5	5	5	4	3	2
Z	10	9	8	8	7	6	6	6	5	4	3

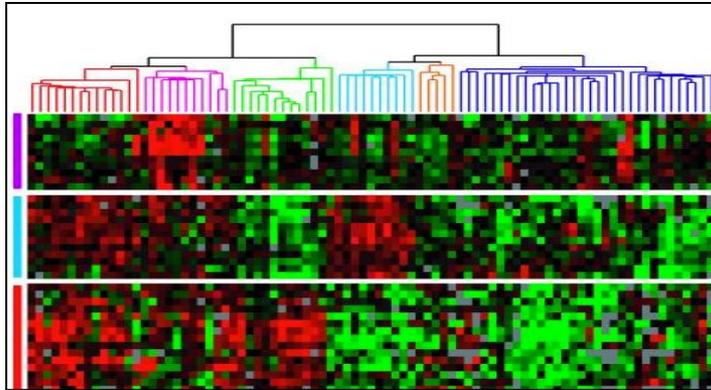
$D[\text{MIKESCHATZ}, \text{MICESHATZZ}] = 3$

MIKESCHAT - Z
MICES - HATZZ

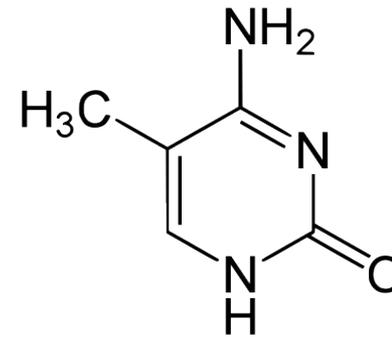
Hooray!

*-seq in 4 short vignettes

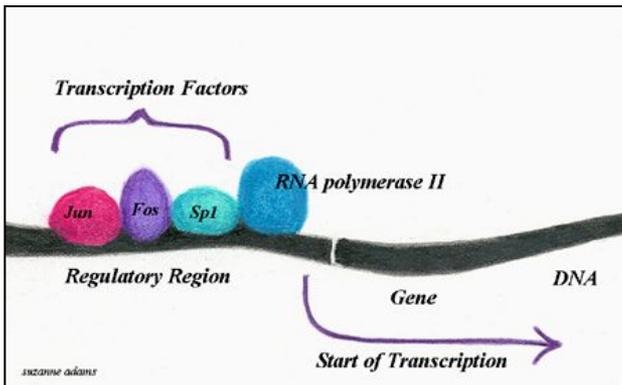
RNA-seq



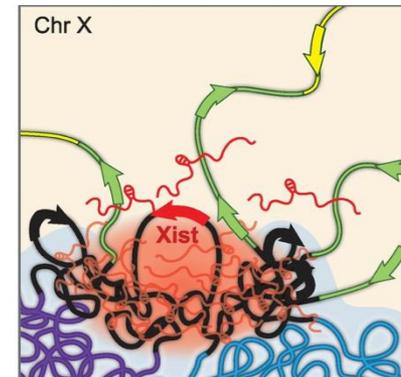
Methyl-seq



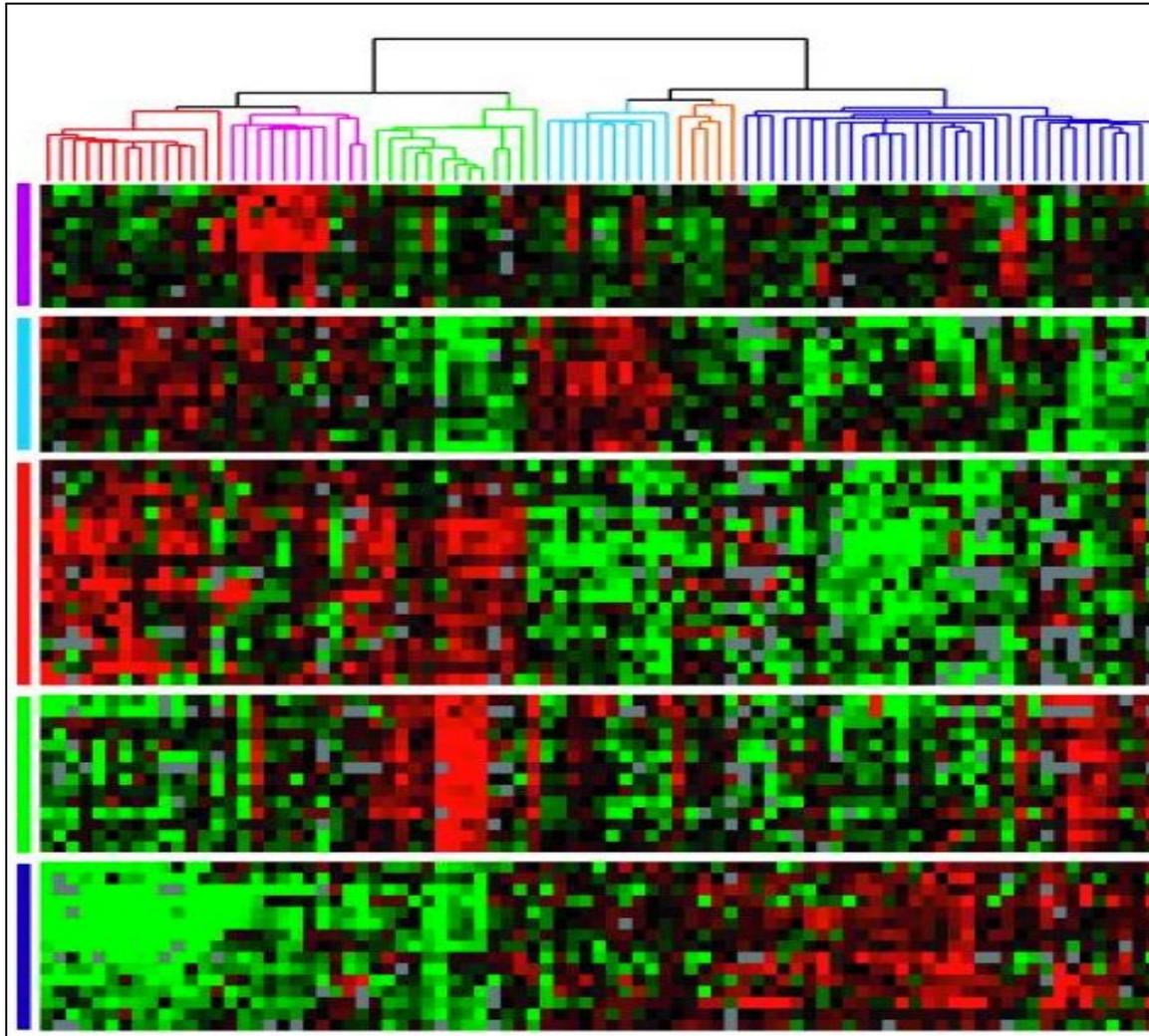
ChIP-seq



Hi-C

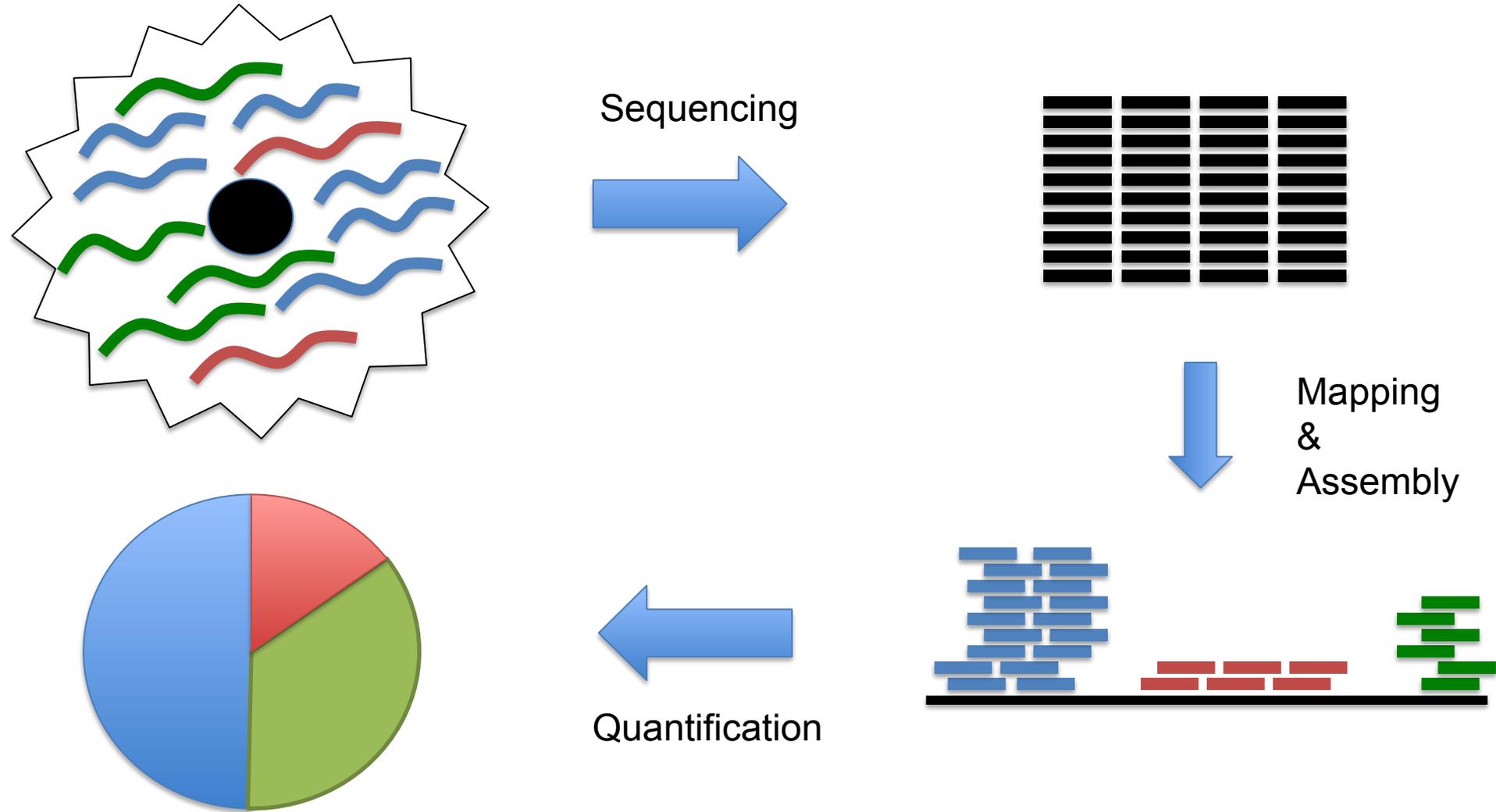


RNA-seq

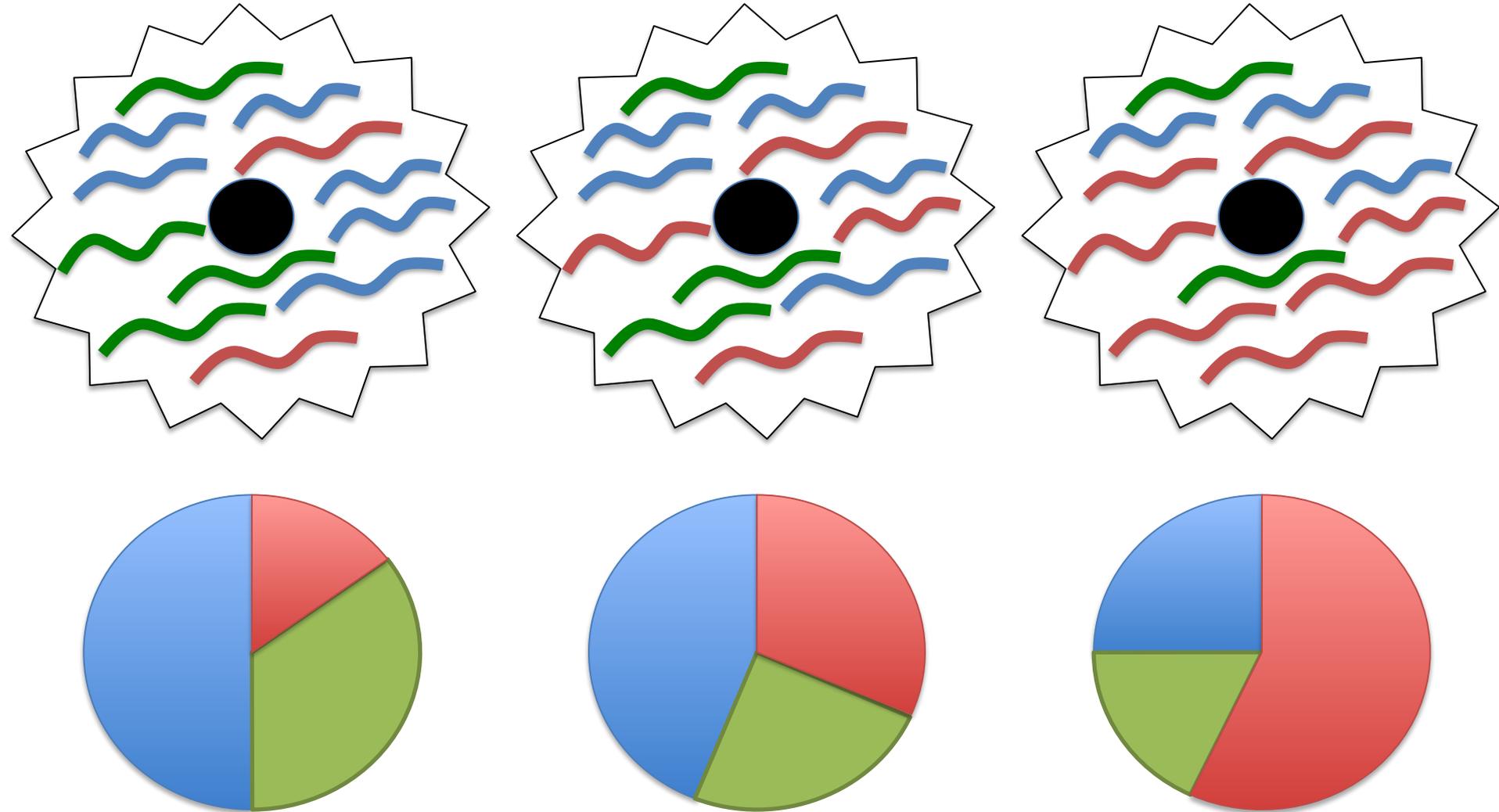


Gene expression patterns of breast carcinomas distinguish tumor subclasses with clinical implications.
Sørlie et al (2001) *PNAS*. 98(19):10869-74.

RNA-seq Overview

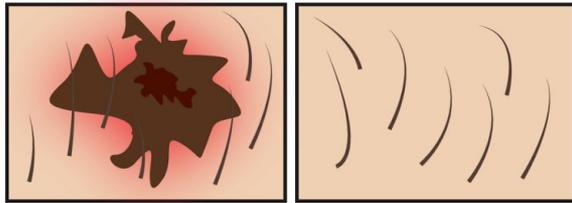


RNA-seq Overview



RNA-seq Overview

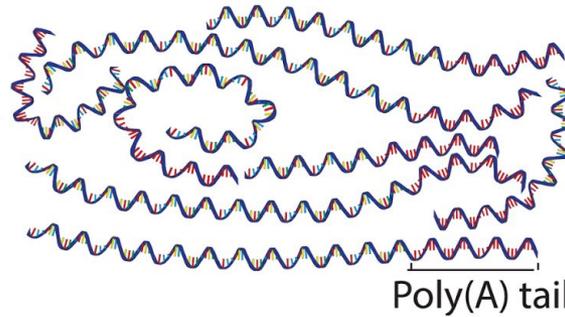
Samples of interest



Condition 1
(e.g. tumor)

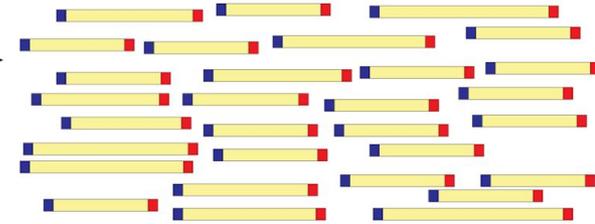
Condition 2
(e.g. normal)

Isolate RNAs

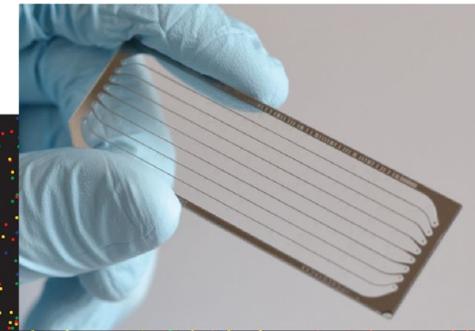


Poly(A) tail

Generate cDNA, fragment, size select, add linkers

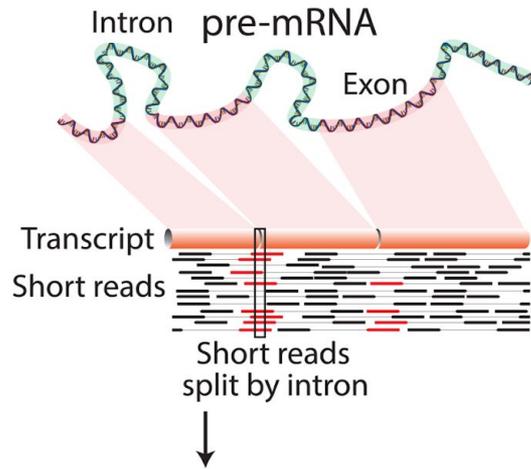


Sequence ends

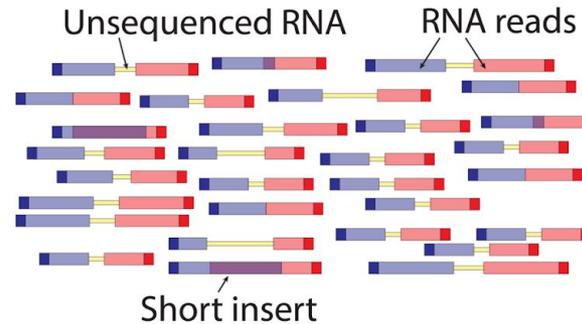


100s of millions of paired reads
10s of billions bases of sequence

Map to genome, transcriptome, and predicted exon junctions

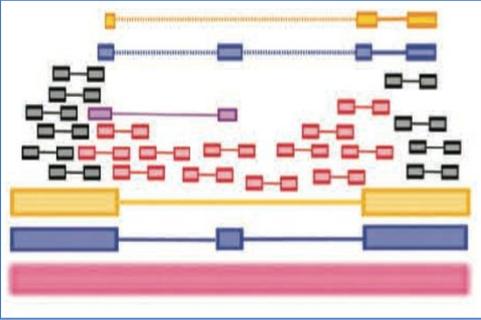


Downstream analysis

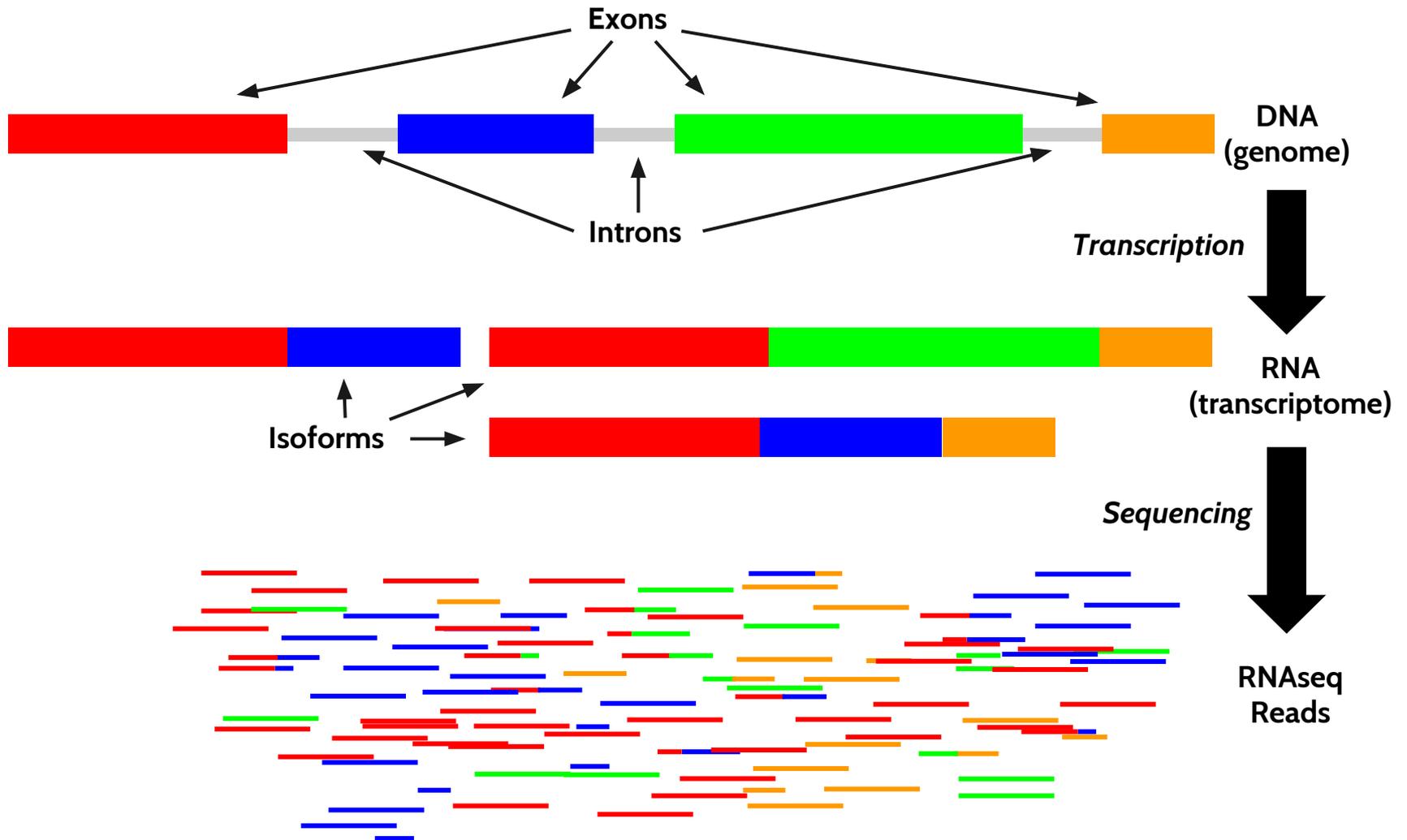


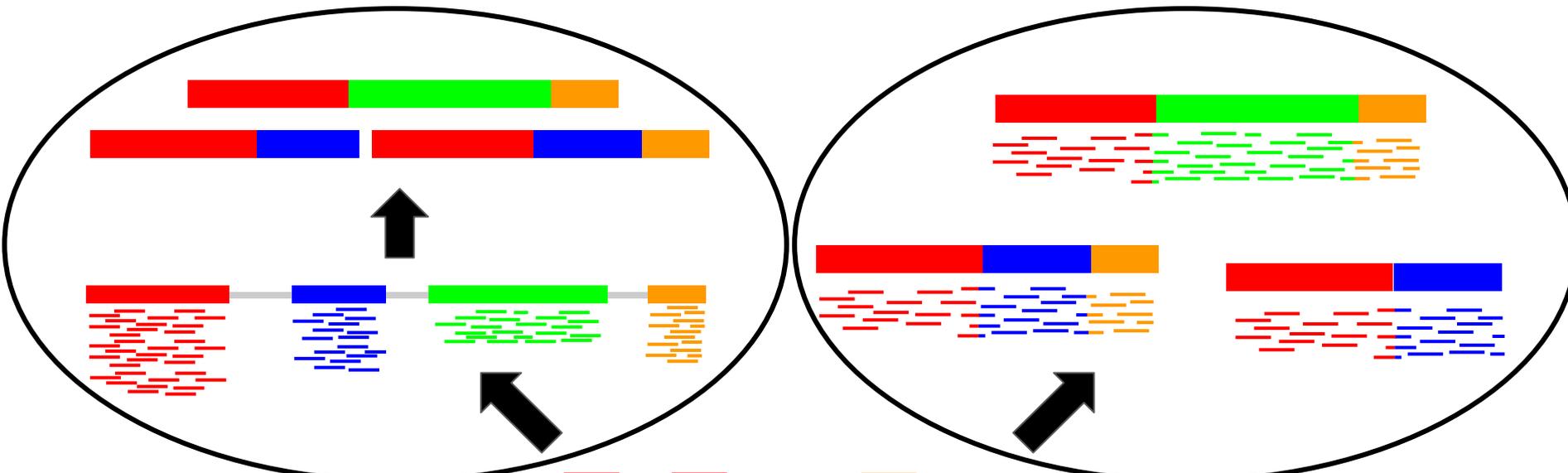
RNA-seq Challenges

Challenge I: Eukaryotic genes are spliced



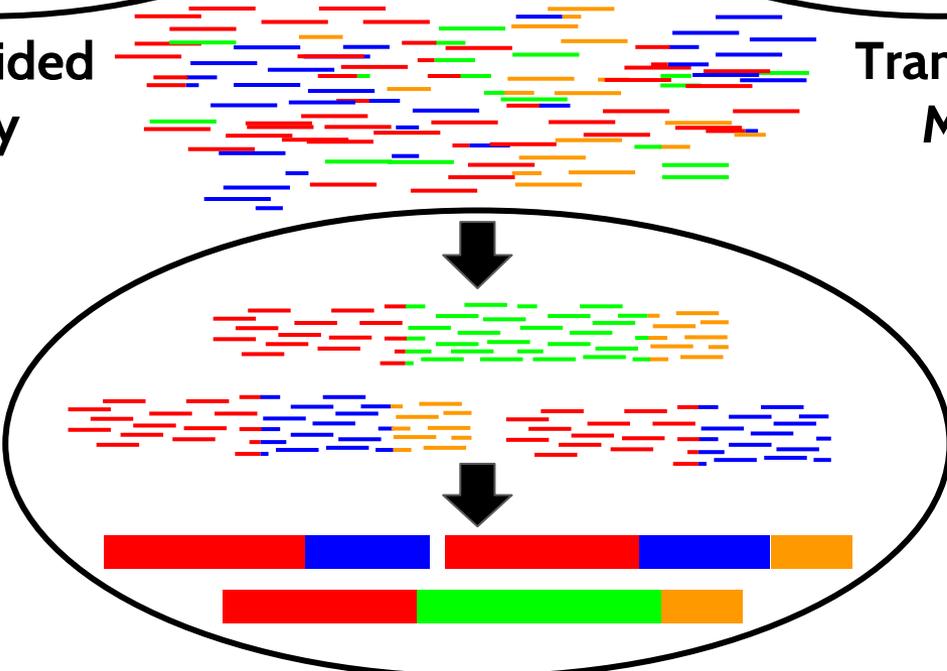
Alternative Splicing





**Genome Guided
Assembly**

**Transcriptome
Mapping**



***De novo* assembly**

RNA-Seq Approaches

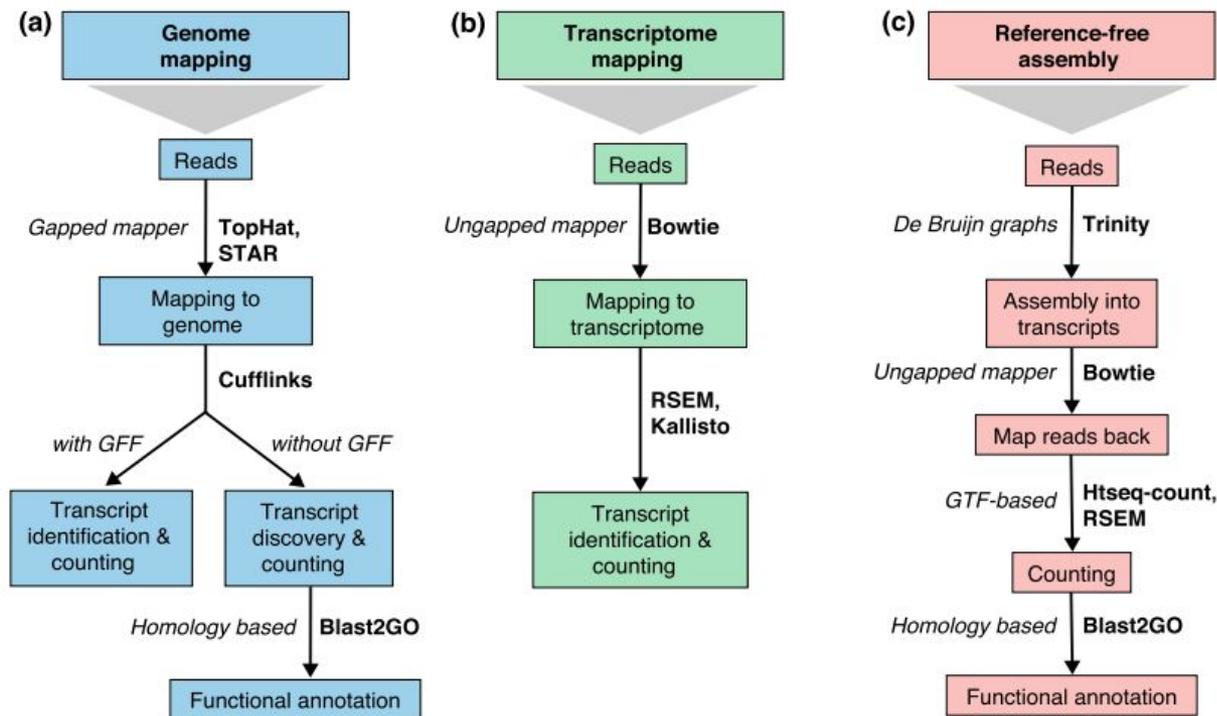


Fig. 2 Read mapping and transcript identification strategies. Three basic strategies for regular RNA-seq analysis. **a** An annotated genome is available and reads are mapped to the genome with a gapped mapper. Next (novel) transcript discovery and quantification can proceed with or without an annotation file. Novel transcripts are then functionally annotated. **b** If no novel transcript discovery is needed, reads can be mapped to the reference transcriptome using an ungapped aligner. Transcript identification and quantification can occur simultaneously. **c** When no genome is available, reads need to be assembled first into contigs or transcripts. For quantification, reads are mapped back to the novel reference transcriptome and further analysis proceeds as in **(b)** followed by the functional annotation of the novel transcripts as in **(a)**. Representative software that can be used at each analysis step are indicated in *bold text*. Abbreviations: *GFF* General Feature Format, *GTF* gene transfer format, *RSEM* RNA-Seq by Expectation Maximization

A survey of best practices for RNA-seq data analysis

Conesa et al (2016) Genome Biology. doi 10.1186/s13059-016-0881-8

RNA-Seq Approaches

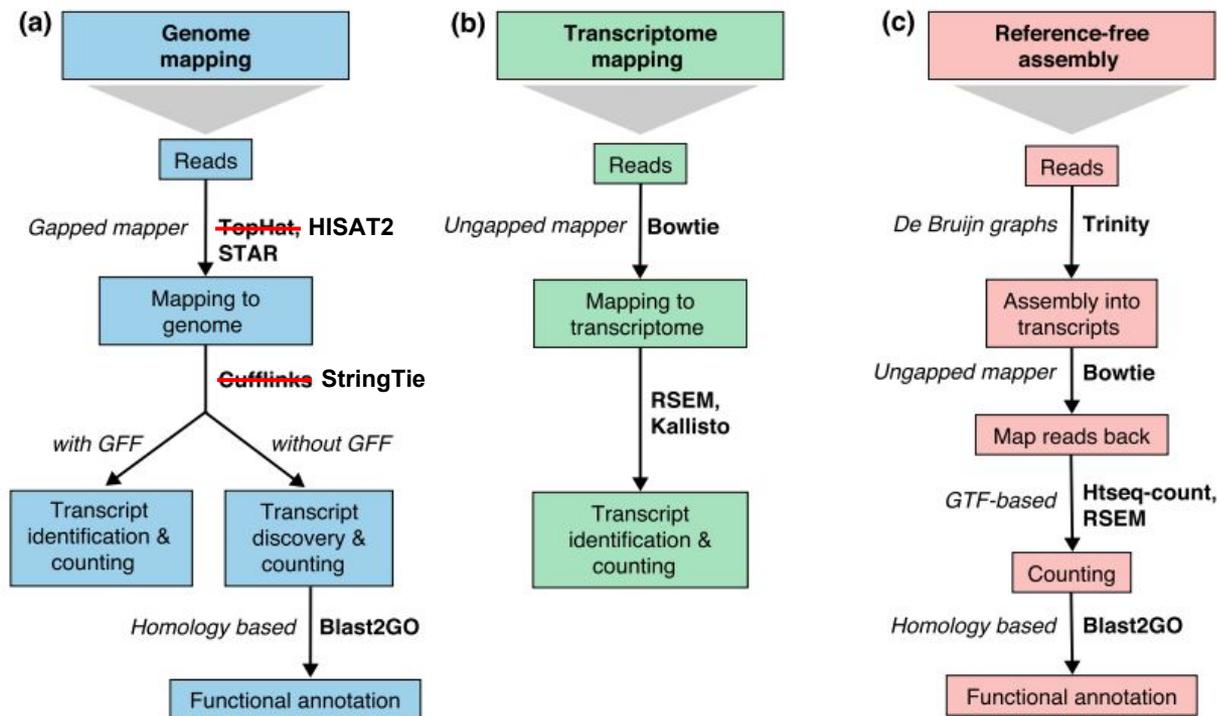


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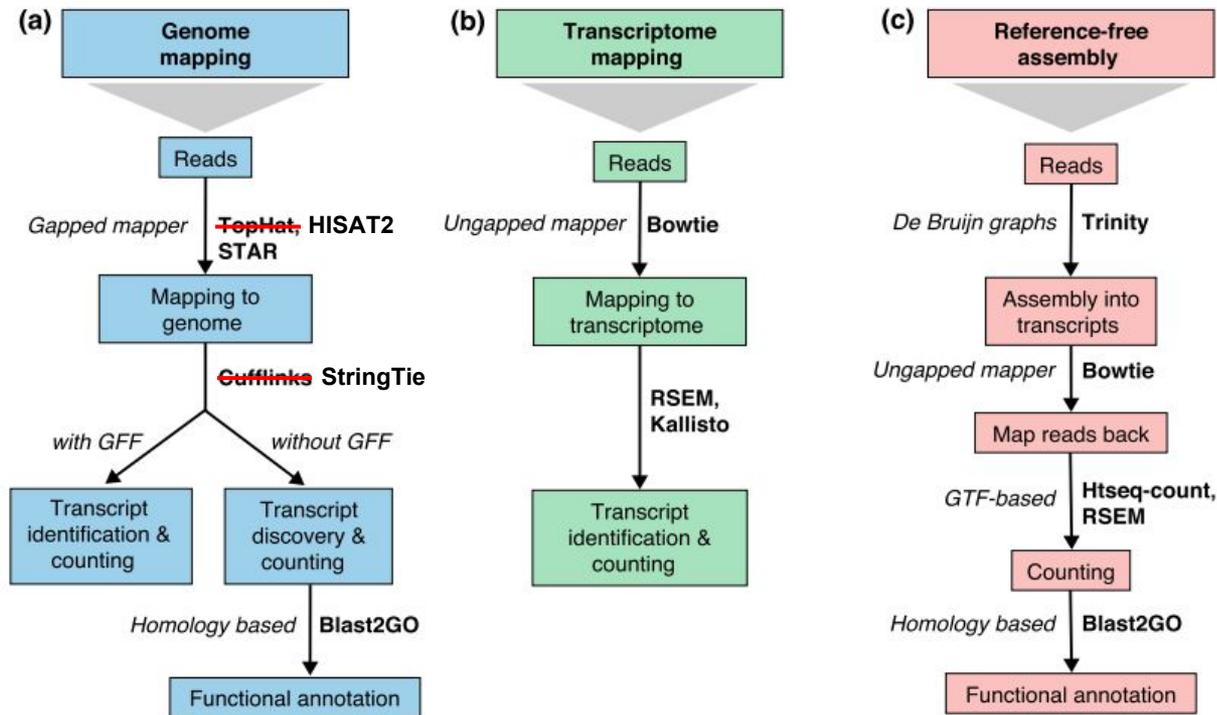


Fig. 2 Read mapping and transcript identification strategies. Three basic strategies for regular RNA-seq analysis. **a** An annotated genome is available and reads are mapped to the reference genome. (b) Transcriptome mapping. (c) Reference-free assembly. (d) Novel transcript discovery and quantification can proceed with or without an annotated transcriptome. If no novel transcript discovery is needed, reads can be mapped to the reference transcriptome using an ungapped aligner. Transcript identification and quantification can occur simultaneously. **c** When no genome is available, reads need to be assembled first into contigs or transcripts. For quantification, reads are mapped back to the novel reference transcriptome and further analyzed as in (a). Representative software that can be used at each analysis step are indicated in *bold text*. Abbreviations: *GFF* General Feature Format, *GTF* gene transfer format, *RSEM* RNA-Seq by Expectation Maximization

Which approach should we use?

It depends....

A survey of best practices for RNA-seq data analysis

Conesa et al (2016) Genome Biology. doi 10.1186/s13059-016-0881-8

RNA-seq Challenges

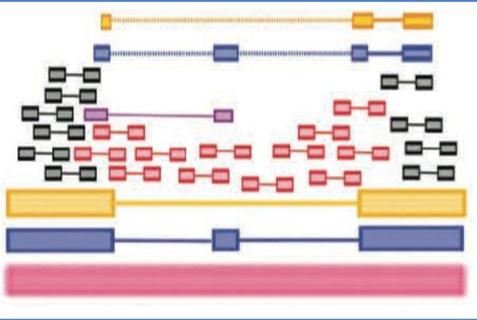
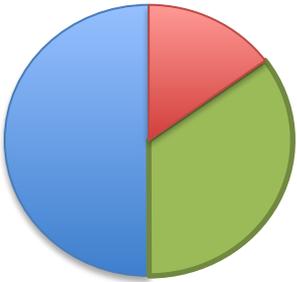
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Solution: Use a spliced aligner, and assemble isoforms

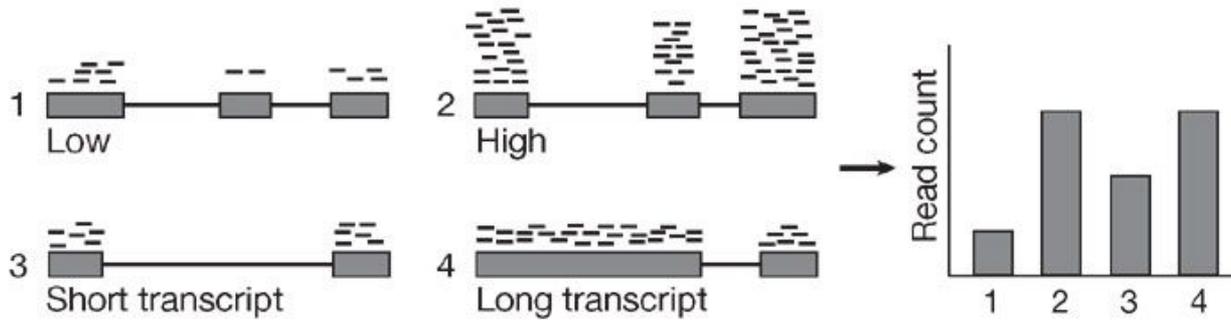
TopHat: discovering spliced junctions with RNA-Seq.

Trapnell et al (2009) *Bioinformatics*. 25:0 | 105-111 |

Challenge 2: Read Count \neq Transcript abundance



RPKM, FPKM, TPM

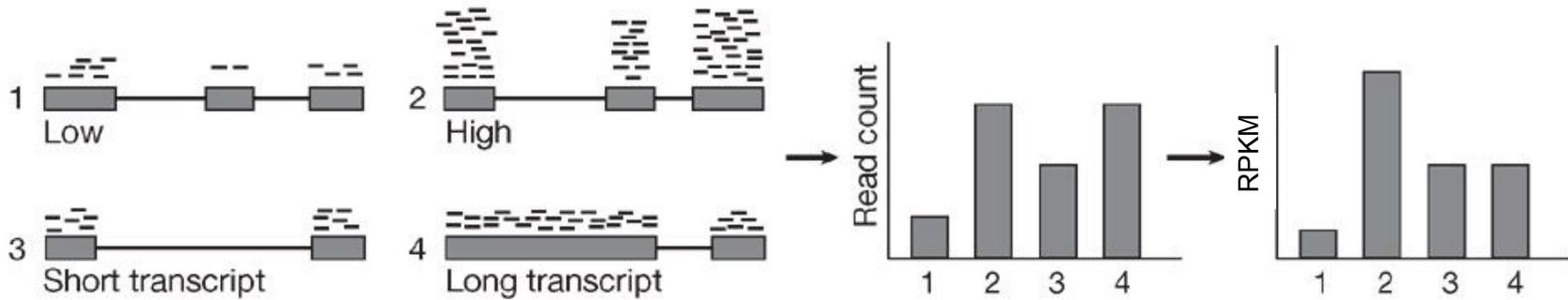


Counting Reads that align to a gene DOESN'T work!

- Overall Coverage: 1M reads in experiment 1 vs 10M reads in experiment 2
- Gene Length: gene 3 is 10kbp, gene 4 is 100kbp

1. RPKM: Reads Per Kilobase of Exon Per Million Reads Mapped (Mortazavi et al, 2008)

RPKM, FPKM, TPM



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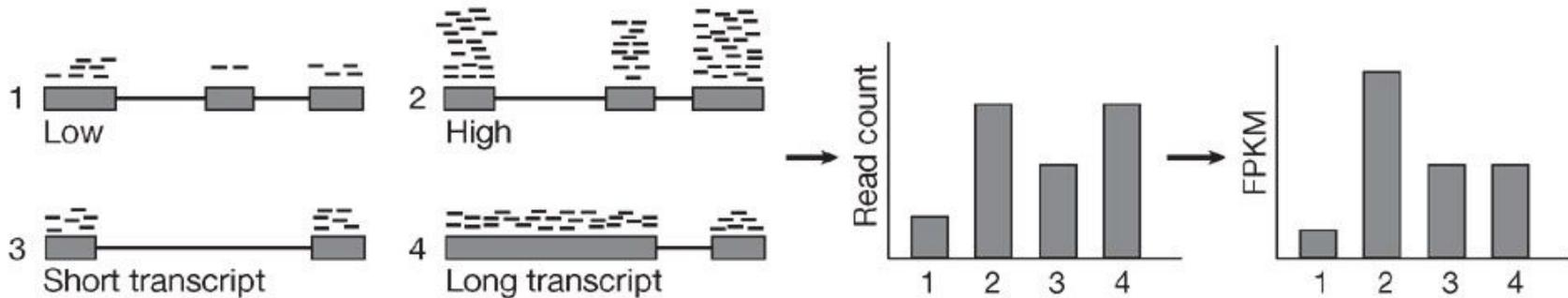
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(Count reads aligned to gene) / (length of gene in kilobases) / (# millions of read mapped)

=> Wait a second, reads in a pair arent independent!

RPKM, FPKM, TPM



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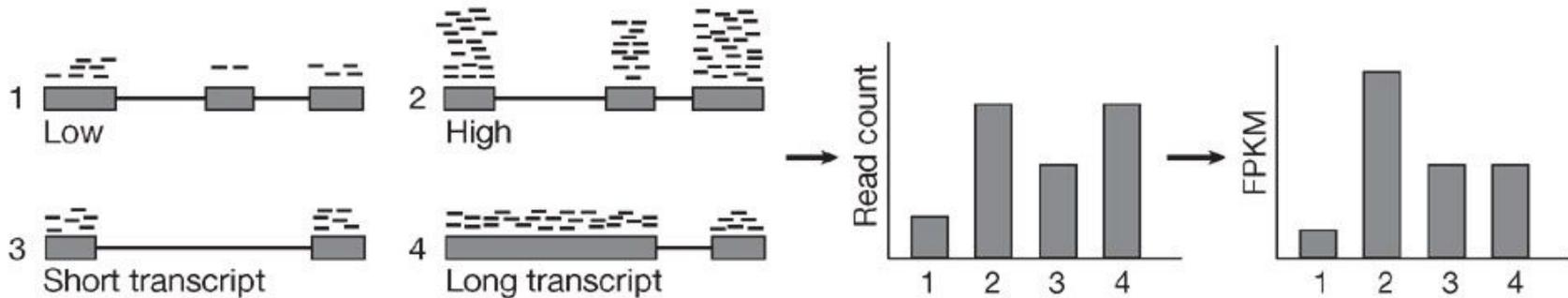
=> Wait a second, reads in a pair are not independent!

2. FPKM: Fragments Per Kilobase of Exon Per Million Reads Mapped (Trapnell et al, 2010)

=> Does a much better job with short exons & short genes by boosting coverage

=> Wait a second, FPKM depends on the average transcript length!

RPKM, FPKM, TPM



Counting Reads that align to a gene DOESN'T work!

- Overall Coverage: 1M reads in experiment 1 vs 10M reads in experiment 2
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=> Wait a second, reads in a pair are not independent!

2. FPKM: Fragments Per Kilobase of Exon Per Million Reads Mapped (Trapnell et al, 2010)

=> Wait a second, FPKM depends on the average transcript length!

3. TPM: Transcripts Per Million (Li et al, 2011)

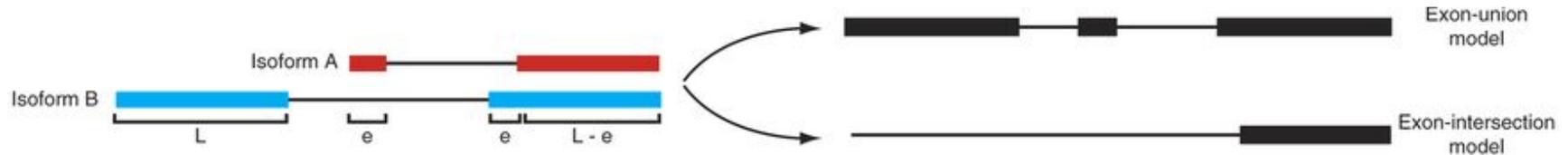
=> If you were to sequence one million full length transcripts, TPM is the number of transcripts you would have seen of type i , given the abundances of the other transcripts in your sample

=> Recommend you use TPM for all analysis, easy to compute given FPKM

$$TPM_i = \left(\frac{FPKM_i}{\sum_j FPKM_j} \right) \cdot 10^6$$

Gene or Isoform Quantification?

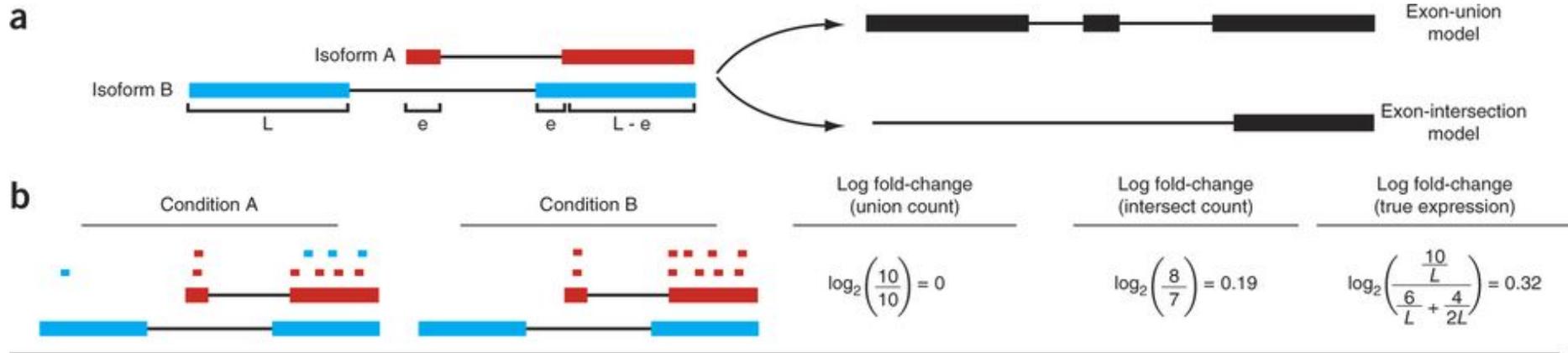
a



Differential analysis of gene regulation at transcript resolution with RNA-seq

Trapnell et al (2013) Nature Biotechnology 31, 46–53. doi:10.1038/nbt.2450

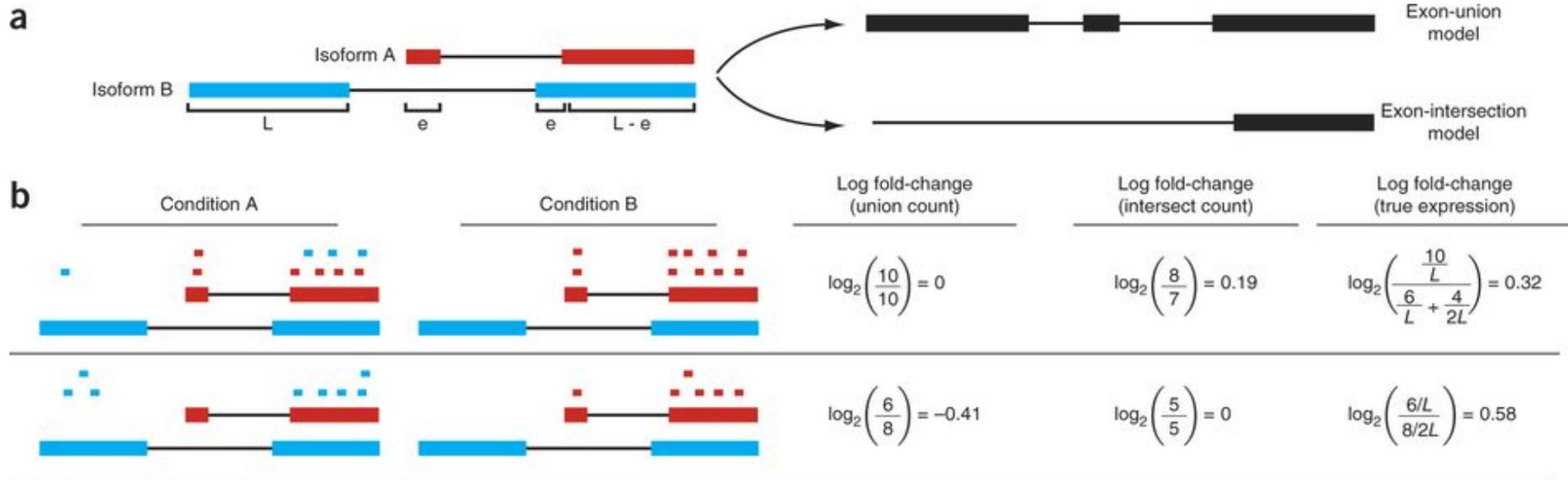
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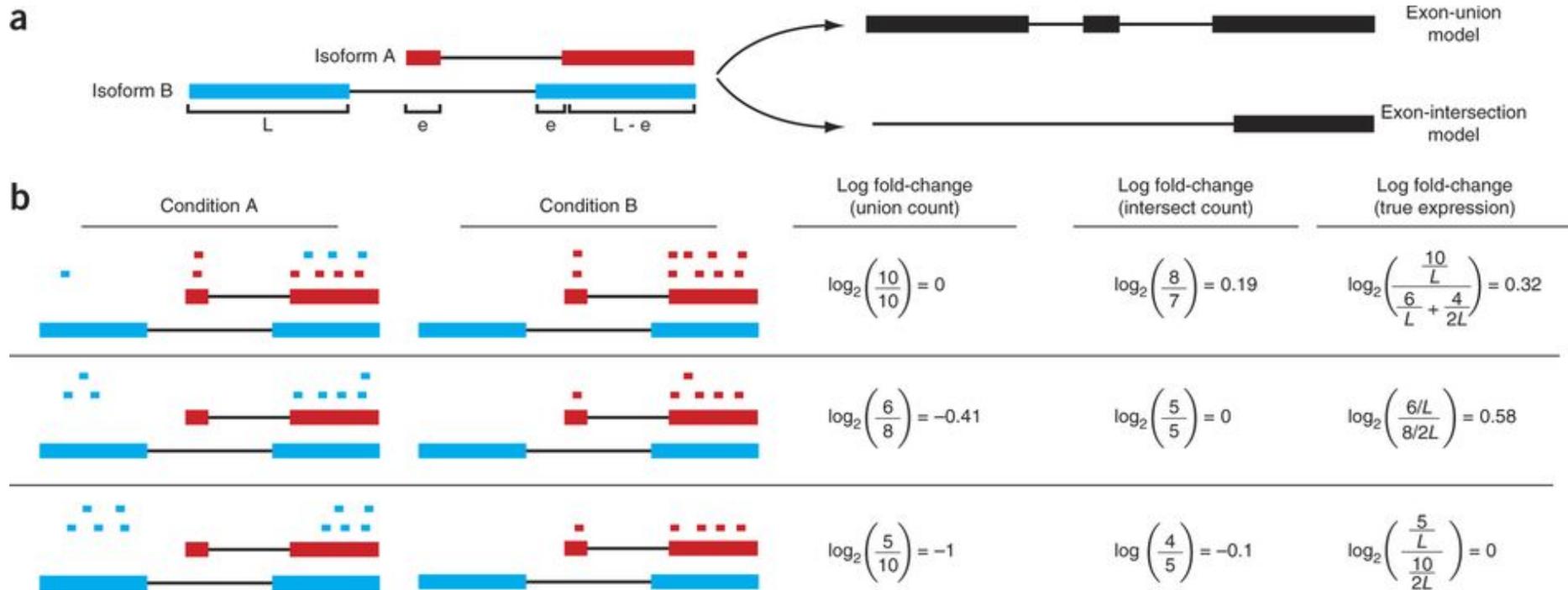
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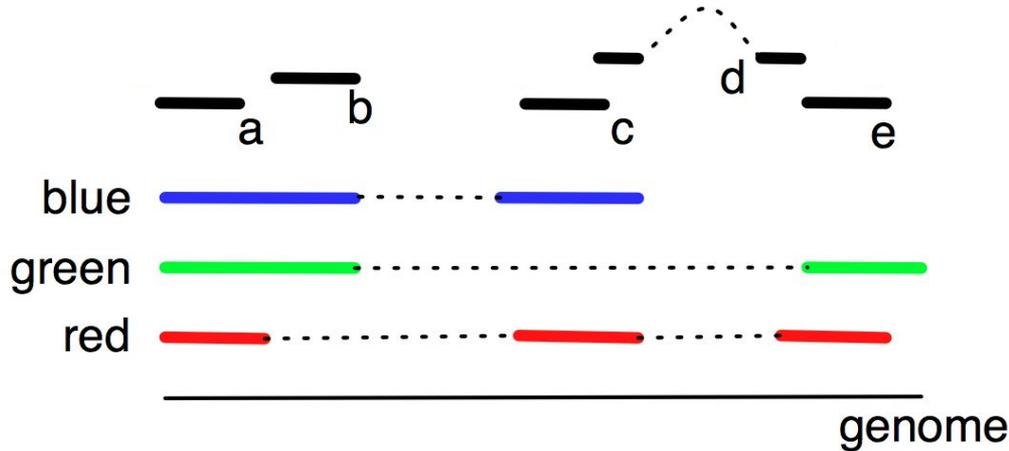


Key point : The length of the actual molecule from which the fragments derive is crucially important to obtaining accurate abundance estimates.

Differential analysis of gene regulation at transcript resolution with RNA-seq
 Trapnell et al (2013) Nature Biotechnology 31, 46–53. doi:10.1038/nbt.2450

Multi-mapping? Isoform ambiguity?

Expectation Maximization to the Rescue



The gene has three isoforms (red, green, blue) of the same length.
Our initial expectation is all 3 isoforms are equally expressed

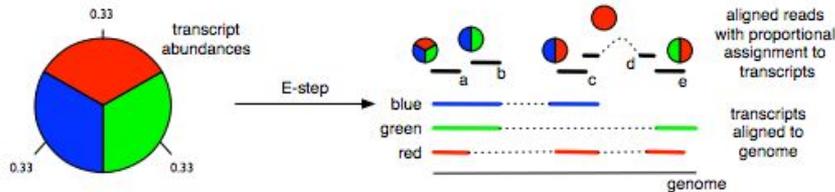
There are five reads (a,b,c,d,e) mapping to the gene.

- Read a maps to all three isoforms
- Read d only to red
- Reads b,c,e map to each of the three pairs of isoforms.

What is the most likely expression level of each isoform?

Multi-mapping? Isoform ambiguity?

Expectation Maximization to the Rescue



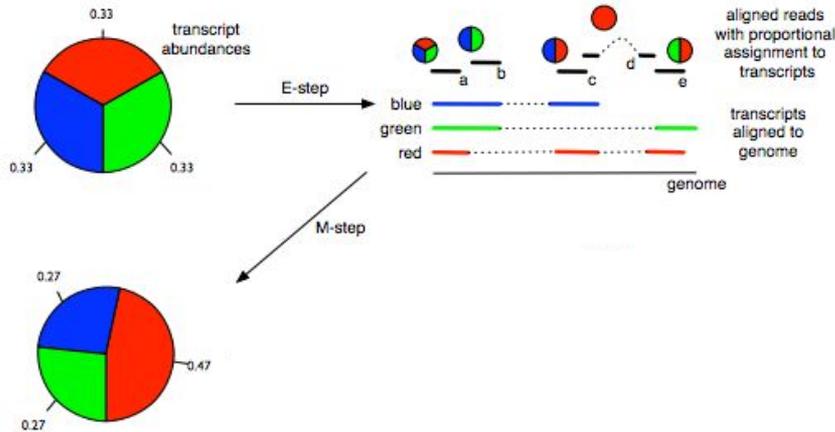
The gene has three isoforms (red, green, blue) of the same length. Initially every isoform is assigned the same abundance (red=1/3, green=1/3, blue=1/3)

There are five reads (a,b,c,d,e) mapping to the gene. Read a maps to all three isoforms, read d only to red, and the other three (reads b,c,e) to each of the three pairs of isoforms.

During the expectation (E) step reads are proportionately assigned to transcripts according to the (current) isoform abundances (RGB): $a=(.33,.33,.33)$, $b=(0,.5,.5)$, $c=(.5,.5,0)$, $d=(1,0,0)$, $e=(.5,.5,0)$

Multi-mapping? Isoform ambiguity?

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Next, during the maximization (M) step isoform abundances are recalculated from the proportionately assigned read counts:

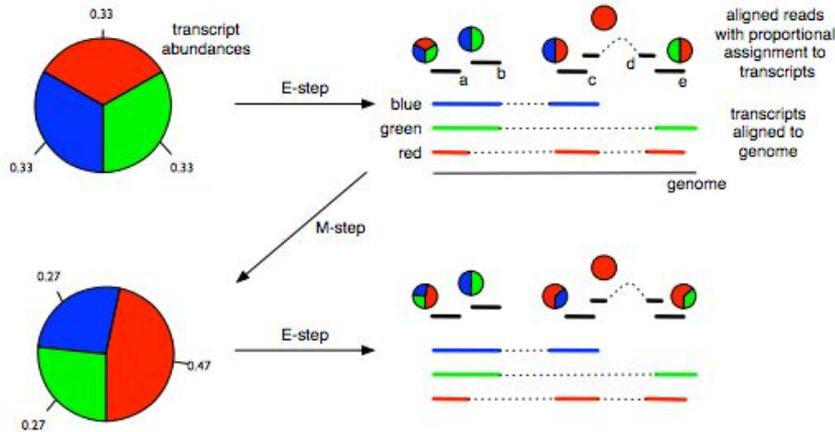
$$\text{red: } 0.47 = (0.33 + 0.5 + 1 + 0.5)/(2.33 + 1.33 + 1.33)$$

$$\text{blue: } 0.27 = (0.33 + 0.5 + 0.5)/(2.33 + 1.33 + 1.33)$$

$$\text{green: } 0.27 = (0.33 + 0.5 + 0.5)/(2.33 + 1.33 + 1.33)$$

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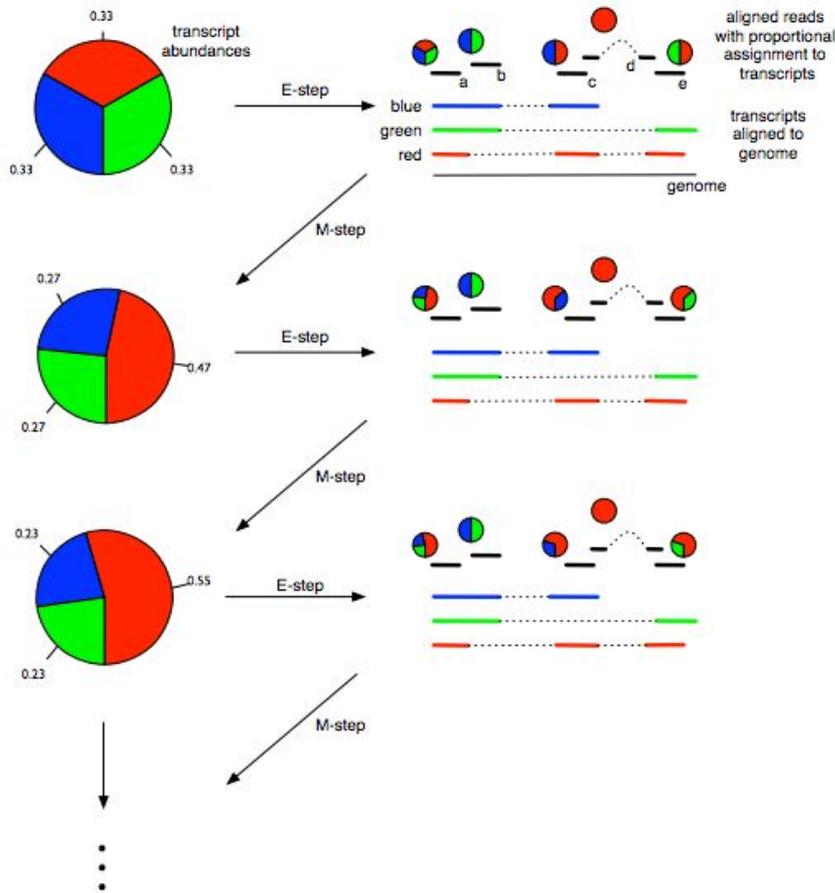
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$$\text{green: } 0.27 = (0.33 + 0.5 + 0.5)/(2.33 + 1.33 + 1.33)$$

Repeat until convergence!

Multi-mapping? Isoform ambiguity?

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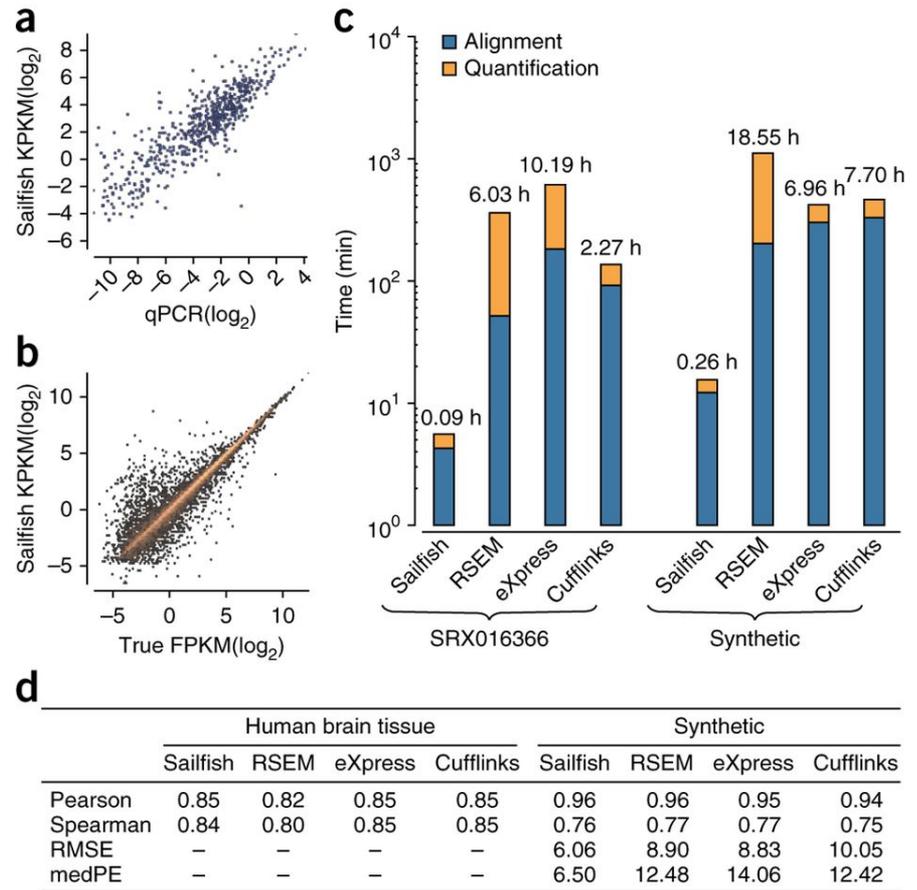
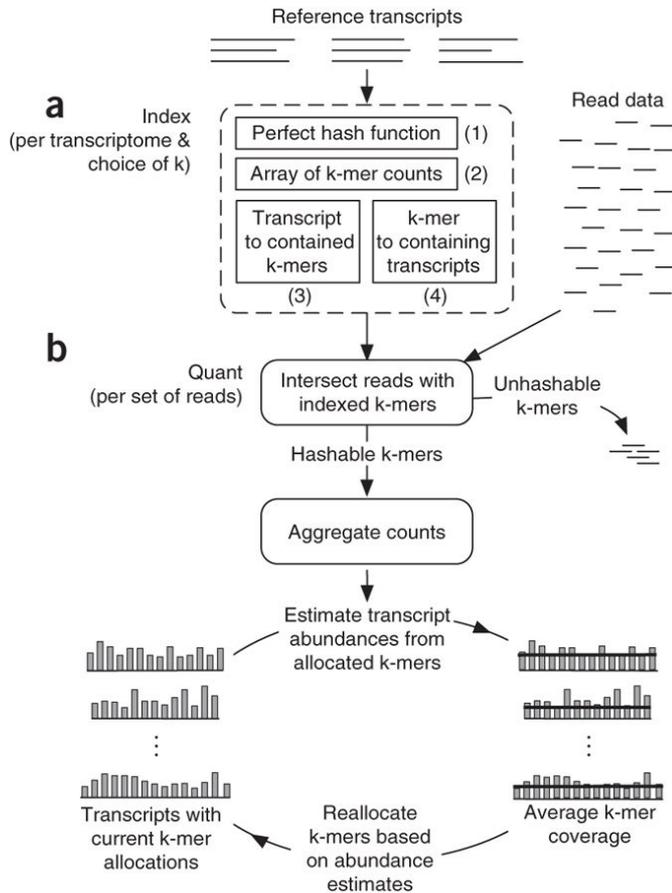
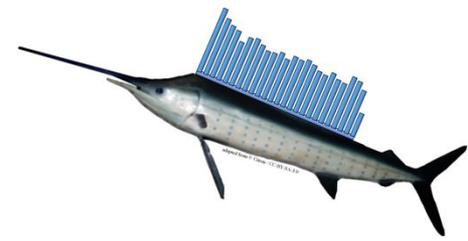
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Models for transcript quantification from RNA-seq

Pachter, L (2011) arXiv. 1104.3889 [q-bio.GN]

Sailfish: Fast & Accurate RNA-seq Quantification



Sailfish enables alignment-free isoform quantification from RNA-seq reads using lightweight algorithms
 Patro et al (2014) Nature Biotechnology 32, 462–464 doi:10.1038/nbt.2862

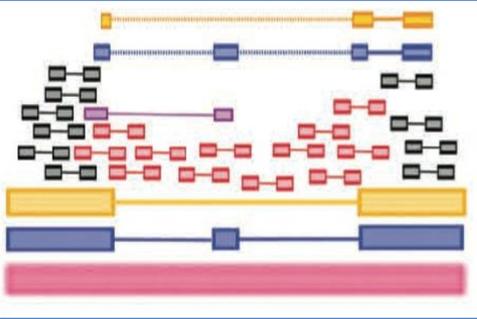
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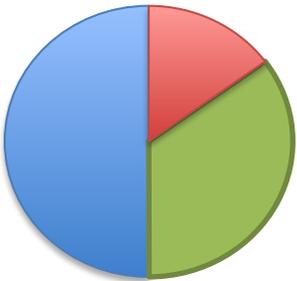


Challenge 2: Read Count \neq Transcript abundance

Solution: Infer underlying abundances (e.g. TPM)

Transcript assembly and quantification by RNA-seq

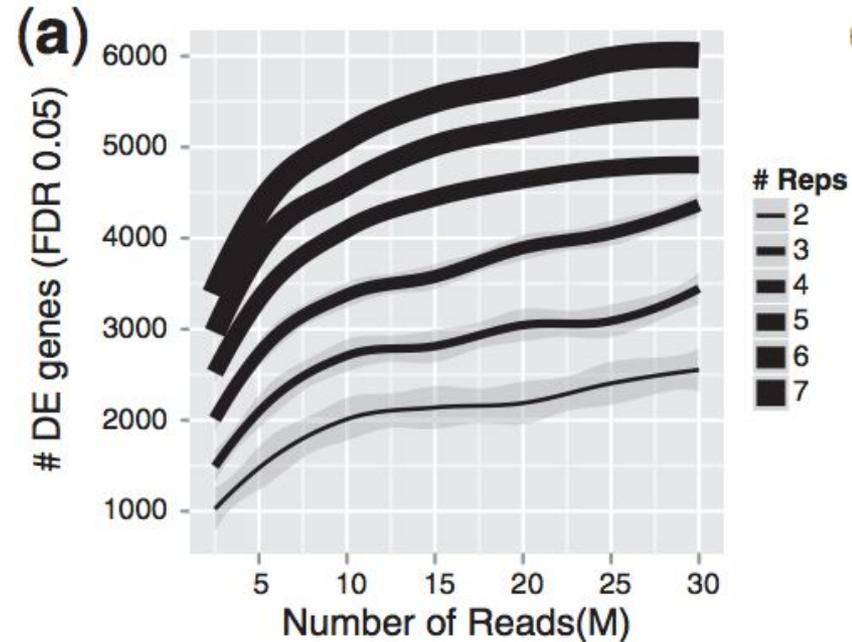
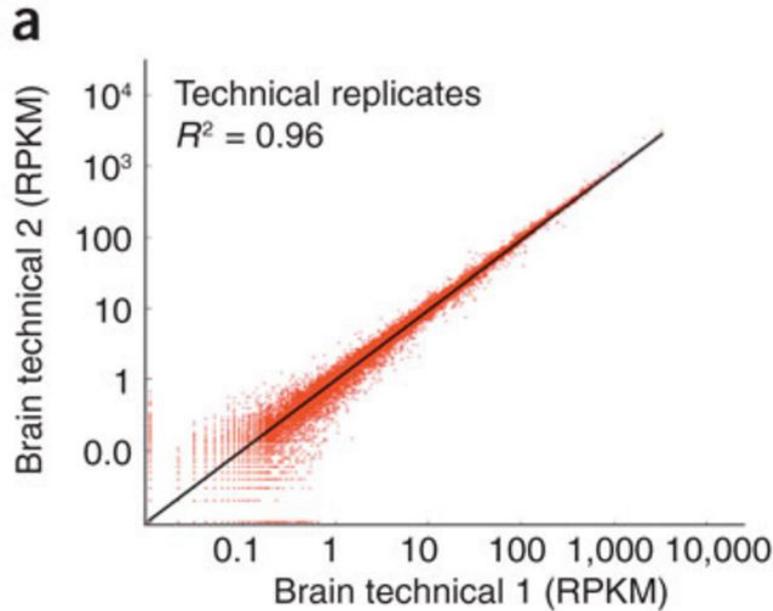
Trapnell et al (2010) *Nat. Biotech.* 25(5): 511-515



Challenge 3: Transcript abundances are stochastic



How Many Replicates?



Why don't we have perfect replicates?

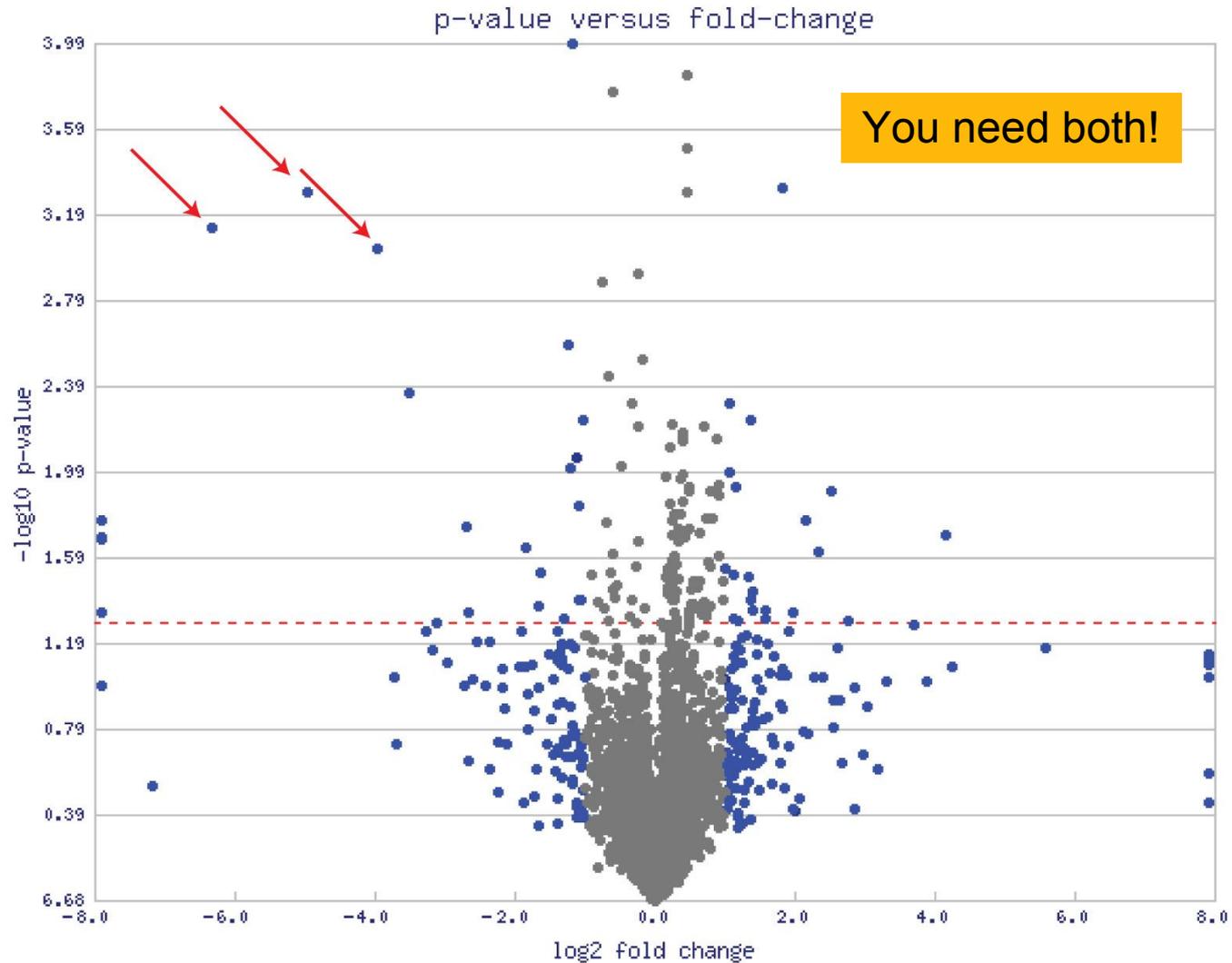
Mapping and quantifying mammalian transcriptomes by RNA-Seq

Mortazavi et al (2008) Nature Methods. 5, 62-628

RNA-seq differential expression studies: more sequence or more replication?

Liu et al (2013) Bioinformatics. doi:10.1093/bioinformatics/btt688

Fold Change vs P-Value



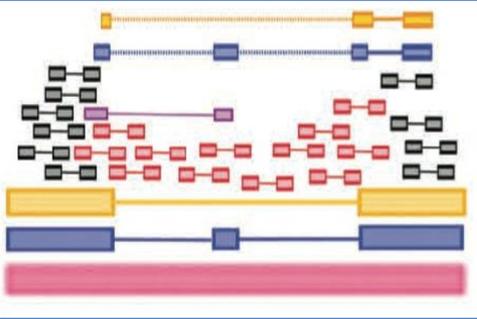
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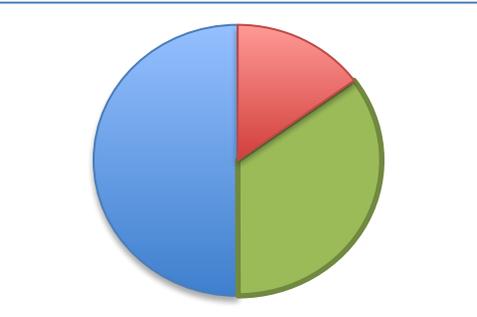


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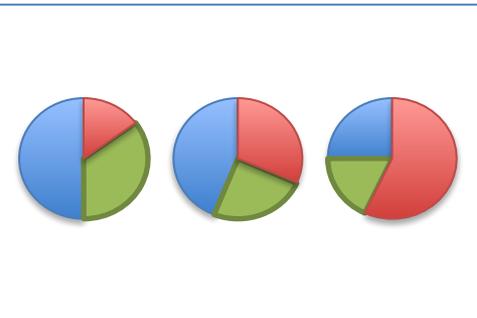


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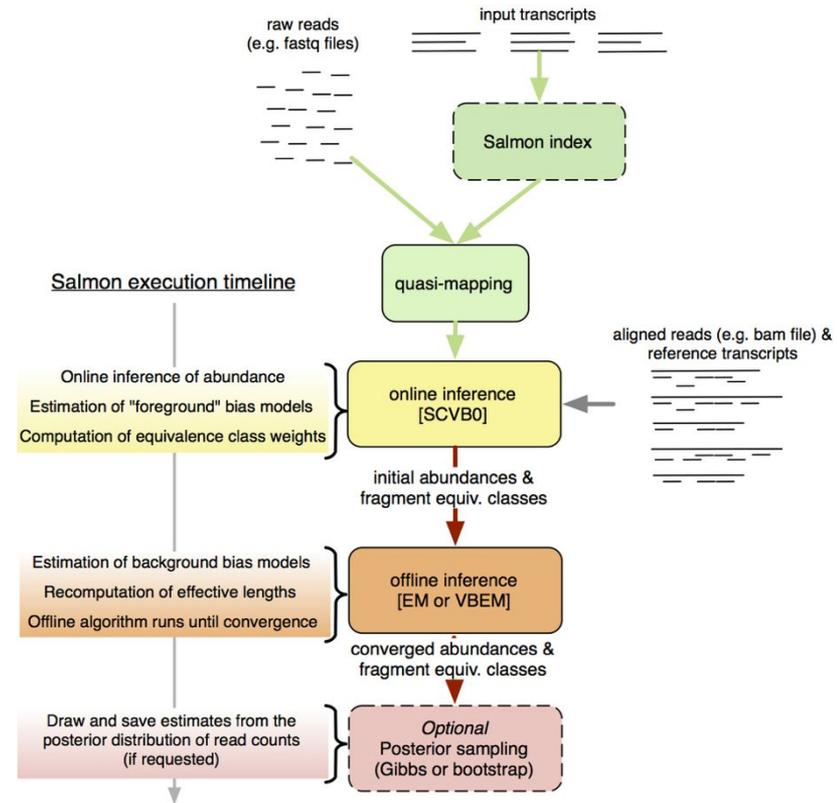
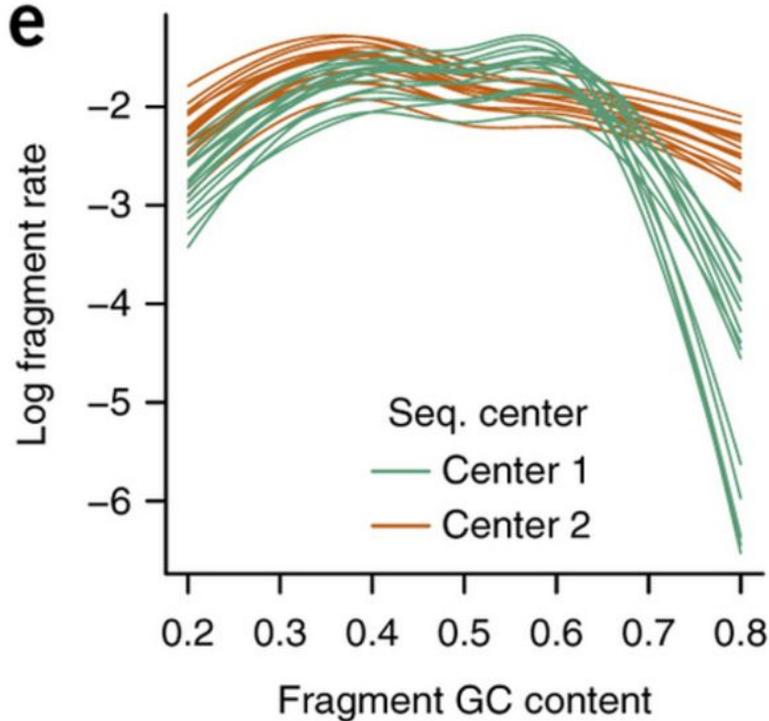
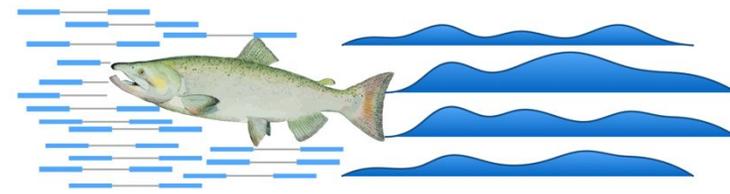
Solution: Replicates, replicates, and more replicates

RNA-seq differential expression studies: more sequence or more replication?

Liu et al (2013) *Bioinformatics*. doi:10.1093/bioinformatics/btt688



Salmon: The ultimate Quantification Pipeline?



Modeling of RNA-seq fragment sequence bias reduces systematic errors in transcript abundance estimation

Love et al (2016) Nature Biotechnology 34, 1287–1291 (2016) doi:10.1038/nbt.3682

Salmon provides fast and bias-aware quantification of transcript expression

Patro et al (2017) Nature Methods (2017) doi:10.1038/nmeth.4197

Genome Guided Transcriptome Assembly

Most accurate
high-throughput
method for novel
isoform discovery

Can also be guided by
annotation, and
produce quantification
estimates

StringTie (JHU) and
Scallop (CMU) are
current state of the art

nature
biotechnology

Letter | Published: 18 February 2015

StringTie enables improved
reconstruction of a transcriptome from
RNA-seq reads

Mihaela Pertea, Geo M Pertea, Corina M Antonescu, Tsung-Cheng Chang, Joshua T Mendell & Steven L Salzberg [✉](#)

Nature Biotechnology **33**, 290–295 (2015) | [Download Citation](#) ↓

▼ nature
biotechnology

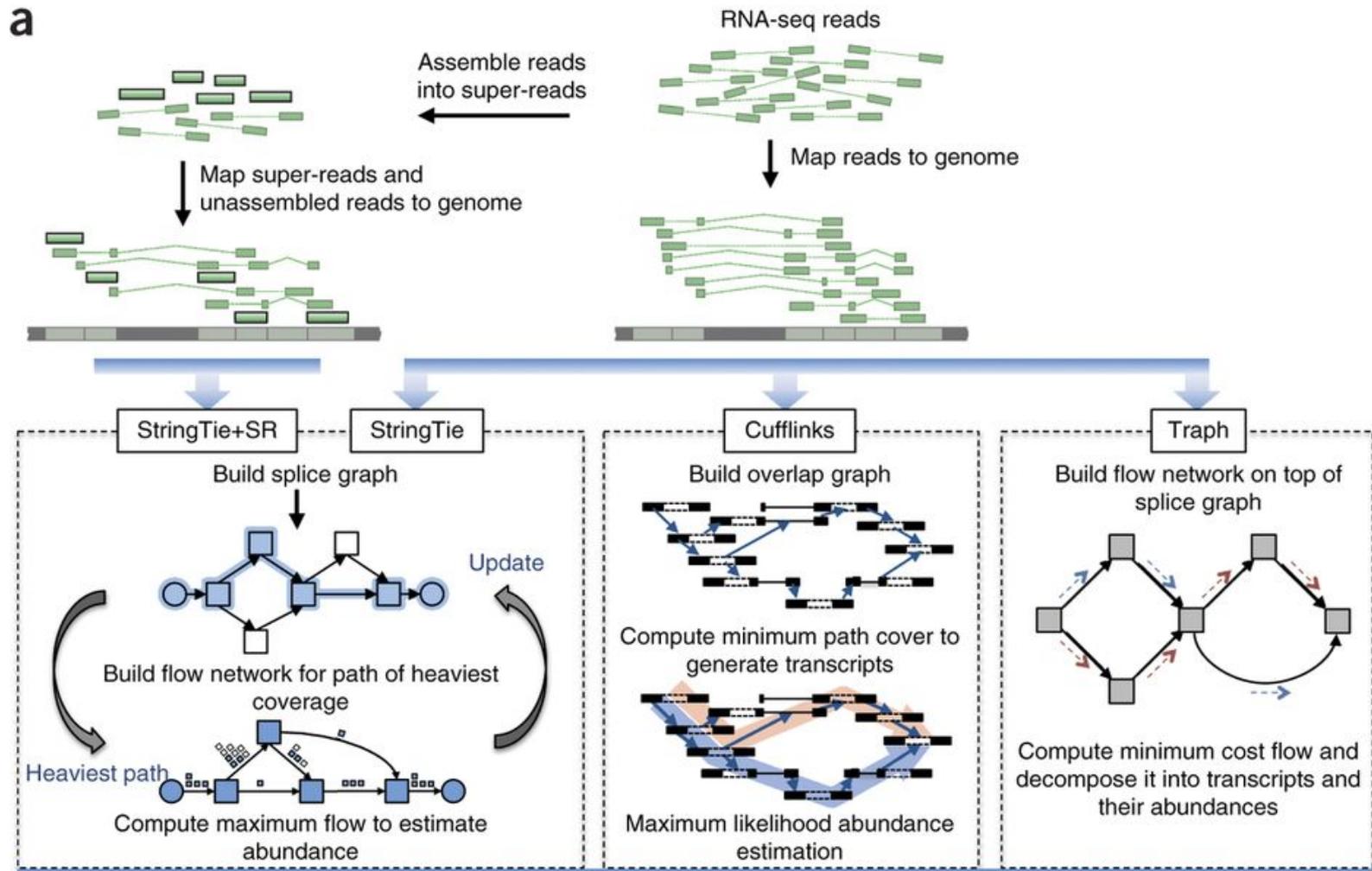
Brief Communication | Published: 13 November 2017

Accurate assembly of transcripts through
phase-preserving graph decomposition

Mingfu Shao & Carl Kingsford [✉](#)

Nature Biotechnology **35**, 1167–1169 (2017) | [Download Citation](#) ↓

StringTie Algorithm



StringTie enables improved reconstruction of a transcriptome from RNA-seq reads.

Pertea M, et al. (2015) Nature Biotechnology. doi: 10.1038/nbt.3122.

Long-Read RNAseq

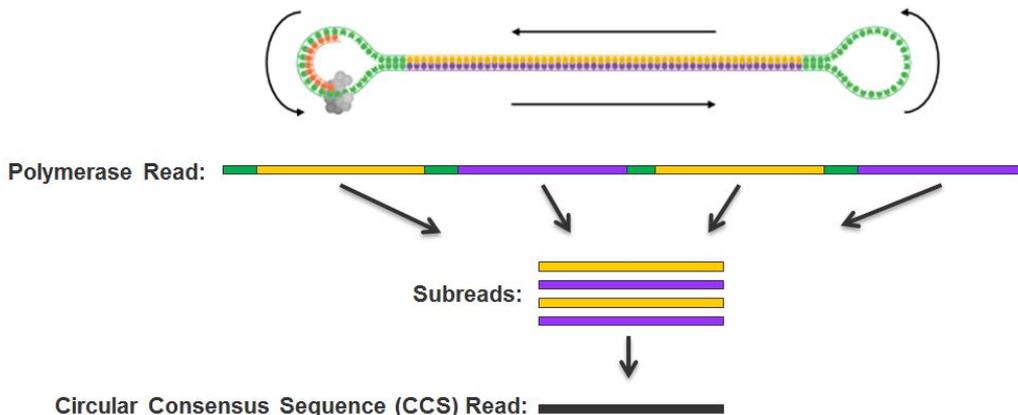
Long-read RNAseq from Pacific Biosciences (PacBio) and Oxford Nanopore Technologies (ONT) can sequence full-length transcripts, as well as large fragments.

PacBio Iso-Seq

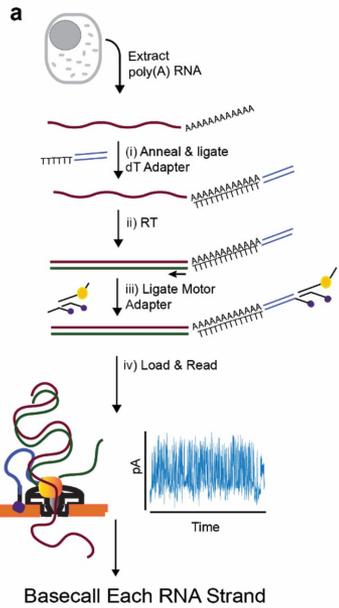
- Sequences cDNA multiple times to achieve higher-quality consensus read

ONT direct RNA-seq

- Sequences RNA molecule directly, enabling detection of modifications and structure



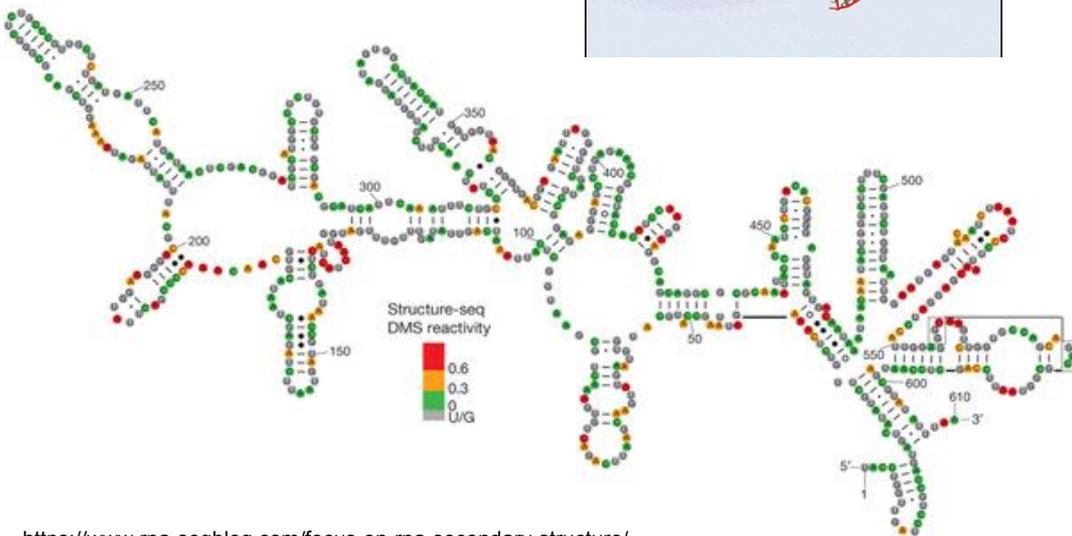
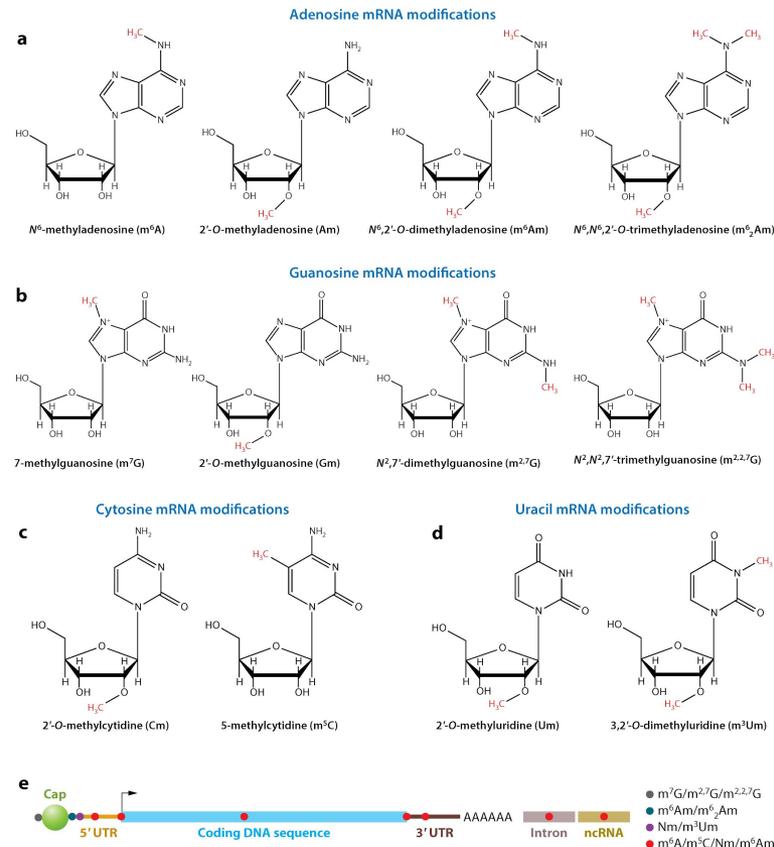
Nanopore Direct RNAseq



cDNA sequencing erases RNA modifications and secondary structure

ONT direct RNAseq has potential to read both

On the other hand, secondary structure could also clog up the pore



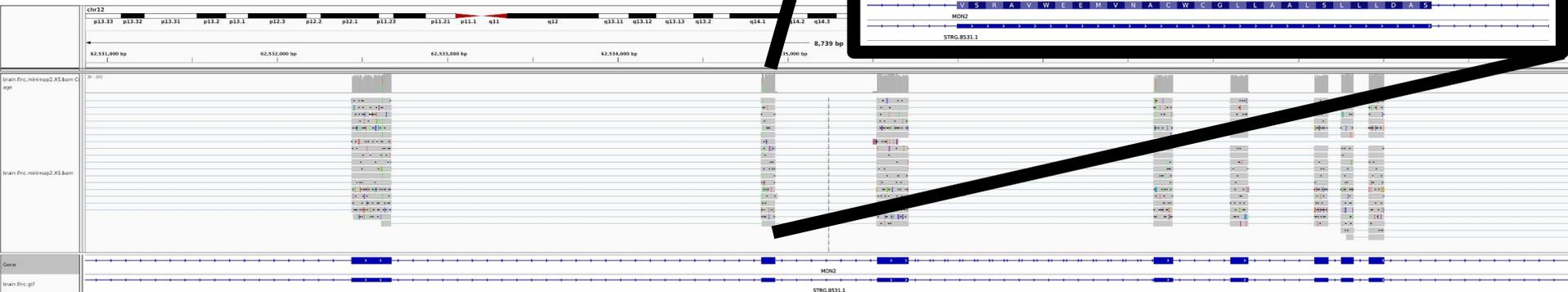
StringTie2

- Upcoming sequel to StringTie
- Outperforms Scallop on short reads
- Supports super-reads - “synthetic” long-reads
- Can assemble noisy PacBio and ONT reads
 - High frequency of indels makes splice graph more complicated, more spurious splice-sites
 - Corrects errors by forming consensus splice-sites
 - More efficient representation of splice-graph
 - Filters low-quality alignments more aggressively



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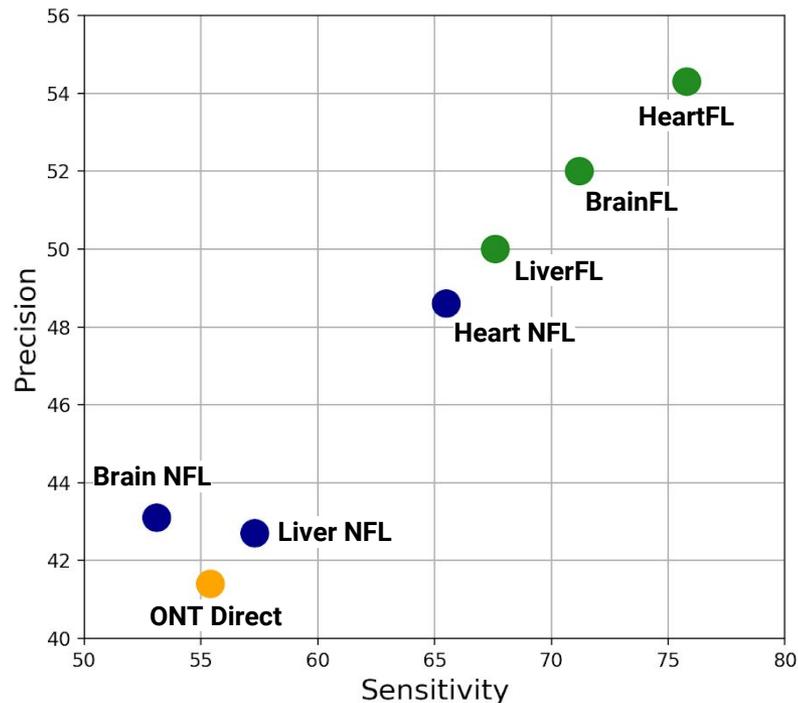


StringTie2 on Long Reads

Tested StringTie2 on seven human long-read datasets aligned using minimap2

- Three “full-length” PacBio datasets
 - Three non-full-length PacBio datasets
 - One ONT direct RNA-seq datasets (NA12878 consortium)
- } Example datasets provided by PacBio

To estimate sensitivity considered reference transcripts with
 $\geq 2x$ average coverage, $\geq 3x$ coverage surrounding introns



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Welcome to Applied Comparative Genomics
<https://github.com/schatzlab/appliedgenomics2>

Questions?